

**SARI**

## **Nondestructive beam energy measurement using RF cavity beam arrival time monitors**

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### **Introduction – SXFEL & SHINE**

### **Shanghai Soft X-ray FEL Test Facility**



**2021**

#### **SXFEL:** Shanghai Soft X-ray FEL User Facility



#### **SHINE:** Shanghai HIgh repetitioN rate XFEL and Extreme light facility



#### **Key parameters**



### **Introduction –** *Why*

- Beam energy: one of the key parameters for FEL facilities
	- $\blacktriangleright$ Beam energy determinate the radiation wavelength
	- $\blacktriangleright$ The stability of beam energy determinate the stability of FEL radiation
- Accurate and precise beam energy measurement is crucial for the optimal performance of the facility
	- $\blacktriangleright$ Used for radiation wavelength calibration
	- $\blacktriangleright$ Used for **feedback** to stabilize the beam energy, maintain a constant output wavelength
	- $\blacktriangleright$ An essential tool for the commissioning and acceptance of FEL facilities.

#### **New demands from New facilities: e.g. SHINE**

- $\triangleright$  BC1@SHINE: 200 MeV to 500 MeV (R56=-61mm@200MeV, aperture $:$  115mm $\times$ 35mm)
- **A non-intercepting robust broad beam energy measurement system is necessary.**







### **Introduction –** *How*

 $\blacksquare$ Measuring the bunch/synchrotron radiation light position at the chicane is a commonly used method.

### **Synchrotron radiation monitor Chicane BPM**



**Fig.1** Synchrotron radiation monitor<sup>[1-2]</sup> **Fig.2** Chicane beam position monitor<sup>[3-4]</sup>

#### Intuitive and effective but expensive & complex





 $\blacksquare$ SXFEL: a stripline-BPM was utilized at the 1st BC of LINAC used for energy monitoring and feedback.

 $d<sub>1</sub>$ 

- $\blacktriangleright$ Calibration of the initial position to obtain a more accurate measurement of beam position changes.
- $\blacktriangleright$ Limited by the signal-to-noise ratio (SNR) of the electrode signal away from the beam(offset↑, SNR↓)
- $\blacktriangleright$ Affected by the bunch profile inside the chicane



[1] Gerth C. Proceedings of DIPAC. 2007, 7. [2] Wilhelm A, Gerth C, Proceedings of DIPAC. 2009. [3] Lorbeer B, et al. Energy Beam Position Monitor Button Array Electronics for the European XFEL[J]. 2018 [4] Hacker K. Measuring the electron beam energy in a magnetic bunch compressor[R]. 2010.



### **Introduction –** *How*

 *Instead of measuring the beam position inside the chicane, can we determine the bunch energy by measuring certain parameters outside of the chicane?*





### **Motivation**

#### T. **Questions:**

- Can chicane-based beam flight time be used for beam energy measurement?
- $\triangleright$  What is the performance like?
- Which method is preferable for nondestructive beam energy measurement: BPM or BFT?

#### **Motivation:**

- $\triangleright$  Investigate this beam flight time-based beam energy measurement scheme
- $\triangleright$  Establish an applicable system and evaluate the system performance
- $\triangleright$  To learn and compare the two methods





## **Development of the BFT-BEM system**

- $\triangleright$  Fundamental principles
- $\triangleright$  BEM system



### **Fundamental Principle**



 $\blacksquare$  With an approximation, the bunch flight time (BFT) and bunch position at the chicane can be expressed as:

 $\Delta E\!\sim\!\Delta t_{bc}=R_{56}\cdot\Delta E/E\beta c,\,\Delta x_{bc}=R_{16}\cdot\Delta E/E$ 

 $\blacksquare$  Especially, given the bunch inclination, the relation between the beam energy and BFT can be determined:

$$
t_{fly} = \left(\sum_{i=1}^{4} l_i + \sum_{1}^{3} l_{i,i+1}\right) / \beta c \quad l_1 = \rho \cdot \theta
$$
  

$$
l_{12} = \frac{d_1}{\sin(\pi - \theta - \varphi)}
$$
  

$$
\sqrt{W(W + e_0)}
$$

 $cos(\alpha) + cos(\varphi) = L_b/\rho$   $\rho =$ 



ZcB

### **Analysis of BC1@SXFEL**



**Parameters of a chicane at SXFEL-UF**



 Take the BC1@SXFEL-LINAC as an example, the relation between the BFT and beam energy is expected to be: (E=230MeV)

$$
\frac{\Delta t_{bc}}{\Delta E} = 0.696 \text{ ps/MeV}
$$

**E** Similarly, the relation between the beam position and beam energy is:

$$
\frac{\Delta x_{bc}}{\Delta E} = 1.52 \, mm/MeV
$$



### **System scheme**

- $\blacksquare$  The system comprises the following components:
	- **Two cavities (BAMs):** Coupling out RF signal carrying the information of beam arrival time;
	- **RF front-end electronics (RFFE):** RF signal conditioning including filtering, amplifying, and mixing, etc.;
	- **Signal processor electronics**: signal acquisition and processing, BAT extraction





### **Typical External-mixing scheme**



### **BFT measurement -External-mixing**



#### **Variation of beam arrival times @ 100pC**



- п Three upgraded BAMs system installed at SXFEL-UF's LINAC were tested.
- $\blacksquare$  The measurement uncertainties of beam arrival time in short-term (about 10 min): **30 fs @ BAM01 (T1) 61 fs @ BAM02 (T2) 62 fs @ BAM03 (T3)**

■ The min. BFT rms. measurement uncertainty (T3-T2) = 10fs

### **Self-mixing scheme**

#### Trigger  $2 Hz$ 4729 MHz (RF)  $44$  MHz (IF) **DBPM Signal**  $80 \text{ mm}$ **RFFE**  $(ADC)$ processor 4685 MHz (LO) shielding wall 119 MHz  $Clock@LO$ (*S*)  $($ *S*)  $24$   $22$   $21$   $22$   $23$   $18$   $16$   $14$  $\rightarrow$ Beam flight time measurement uncertainty = 13 fs ( $\hat{p}$ ).04<br>  $\hat{p}$  = 0.02<br>  $\hat{p}$ <br>  $\hat{p}$  = 0.02<br>  $\hat{p}$ 22 20  $Minimum = 13$  fs gnal length =  $336$  ns BFT  $3.5$  $-0.04$  $0.5$  $1.5$  $2^{\circ}$  $2.5$  $\overline{\mathbf{3}}$ 15 signal length (µs) Time (min)

- $\blacktriangleright$  Best result of measurement uncertainty (RMS): 13 fs over 20 min;
- $\blacktriangleright$  Beam jitter and temperature drift can be ignored in this case, thus this measurement uncertainty describes the system resolution;



- $\triangleright$  Best result of measurement uncertainty (RMS) in shortterm: 38 fs over 20 min;
- ≻ Best result of measurement uncertainty (RMS) in longterm: 53 fs over 18 hours;
- $\blacktriangleright$  Beam jitter, temperature- and humidity-drift, and vibration contribute to this phase measurement uncertainty;

### **GUI for BFT-BEM**

**A high-level graphic user interface (UI) for BFT-BEM has been designed and lab tested:**



## **System performance evaluation**



### **Beam test for evaluation**

- $\blacktriangleright$  A beam test is performed to verify the relation between the beam energy and beam flight time and evaluate the system performance.
- $\blacktriangleright$ Two BAMs (BAM01 and BAM02) and a SBPM at LINAC are used.
- ➤ An analytical magnet and a profile behind BAM02 were utilized.
- $\blacktriangleright$  Each adjusting the accelerating phase, the data of two BAMs, one SBPM and profile are recorded for multiple times.
- $\blacktriangleright$ A total of 14 measurements are conducted.



### **Measurement of beam energy**

- $\triangleright$  The accelerating phase is gradually adjusted from -109° to -138°, the beam energy decreases from 238.53 MeV to 229.28 MeV;
- $\triangleright$  The energy spread increases 0.07% to 0.55%
- $\blacktriangleright$ Beam energy jitter:  $0.02\% \sim 0.04\%$





### **Measurement of beam arrival time**

- More than 16000 samples (over 2 hours) were obtained;
- The variation of two beam arrival times are totally different;



- $\blacksquare$  Beam arrival time @BAM01:
	- $\blacktriangleright$ A small variation

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 $\blacktriangleright$ peak-to-peak = **0.35 ps**;

- $\blacksquare$  Beam arrival time @BAM02:
	- $\blacktriangleright$ A large variation;
	- peak-to-peak = **6.5 ps**;

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### **Relation between BFT and energy**

 $\triangleright$  A linear relation between the beam energy and beam flight time is also proved by the beam test:

$$
t_{BFT} = -k * E + b,
$$
  
\n $k = 0.692 \pm 0.018 \text{ ps/MeV}, b = 165.1 \pm 4.1$ 

#### **Relation between beam energy and BFT**





### **Relation between beam position and energy**

 $\triangleright$  A quadratic polynomial relation between the beam energy and beam position is obtained via the beam test:

 $x = k * E^2 + b * E + c$ .



### **Analysis of BEM with BFT**

Using above linear factor, the beam energy was measured with this system:

- For 1000 measurement (near 10min), the average energy measured by the profile is 236.78 MeV, the average energies by BFT-BEM and BPM-BEM are **236.71** MeV and **236.89** MeV, respectively.
- The energy jitters measured by BFT-BEM and BPM-BEM are **5.49e-4** and **3.45e-4**, respectively.
- The deviations compared to the PRF-BEM are **0.07 MeV** and **0.11 MeV**, respectively.



### **Analysis of BEM with BPM & BFT**

- The beam energy measured by BFT has less deviation compared to the reference energy than the beam energy measured by BPM;
- However, the energy jitter obtained by BFT is larger than that measured by BPM;



## **Discussion**



### **Discussion**

### *Why is the relation between BP and BE nonlinear ?*

- The Chicane BPM is <sup>a</sup> rectangular four-electrode strip-line beam position monitor.
- $\triangleright$  As the beam offset increases, the relationship between the delta-over-sum and the beam position exhibits nonlinearity.
- Thus, the beam position obtained using the conventional delta-over-sum algorithm is smaller than the actual beam position;
- $\triangleright$  By applying the nonlinear algorithm, the beam position offset is found to be 13.9 mm for a beam energy change of 9.25 MeV, the result is nearly consistent with the formula-based calculation.



### SHINE

### **Comparison of the two methods**

- $\overline{\phantom{a}}$ The beam test results of the two methods have been summarized in the table below.
- $\blacksquare$  Overall, both have their own merits:
	- For beam energies with **small variations** (e.g. <3 MeV), **the BPM-BEM** is more suitable due to its higher precision. (Beam position should be calibrated or have <sup>a</sup> stabilized position before the Chicane).
	- $\blacksquare$  For beam energies with **larger variations**, the **BFT-BEM** method is preferable because of its **larger linear region** and better accuracy;



## **Conclusion**



### **Conclusion**

- ♦ The bunch energy system, based on RF cavity-based bunch arrival time monitors, has been developed at SXFEL-UF, and the beam test results have verified its capacity for beam energy measurement..
	- ⋗ A linear relationship between the beam energy and the beam flight time, as the beam travels through <sup>a</sup> magnetic chicane, is observed for energies ranging from 230 to 239 MeV.
	- ⋗ Formula:-0.696 ps/MeV beam test: -0.692 ps/MeV
	- ⋗ The system resolution should be better than 5.49e-4, linear range: over 9 MeV
- ♦ For beam energy with **larger variations (e.g. >3MeV)**, the **BFT-BEM** method is preferable.
- ♦ Next, we will continue to utilize valuable machine study time to learn the system's long-term stability and the impact of parameters such as bunch profile, bunch length, and energy spread on the measurements, and to further optimize the system.



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# **Thank you!**

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