

Beam size measurement with gratings at BEPCII



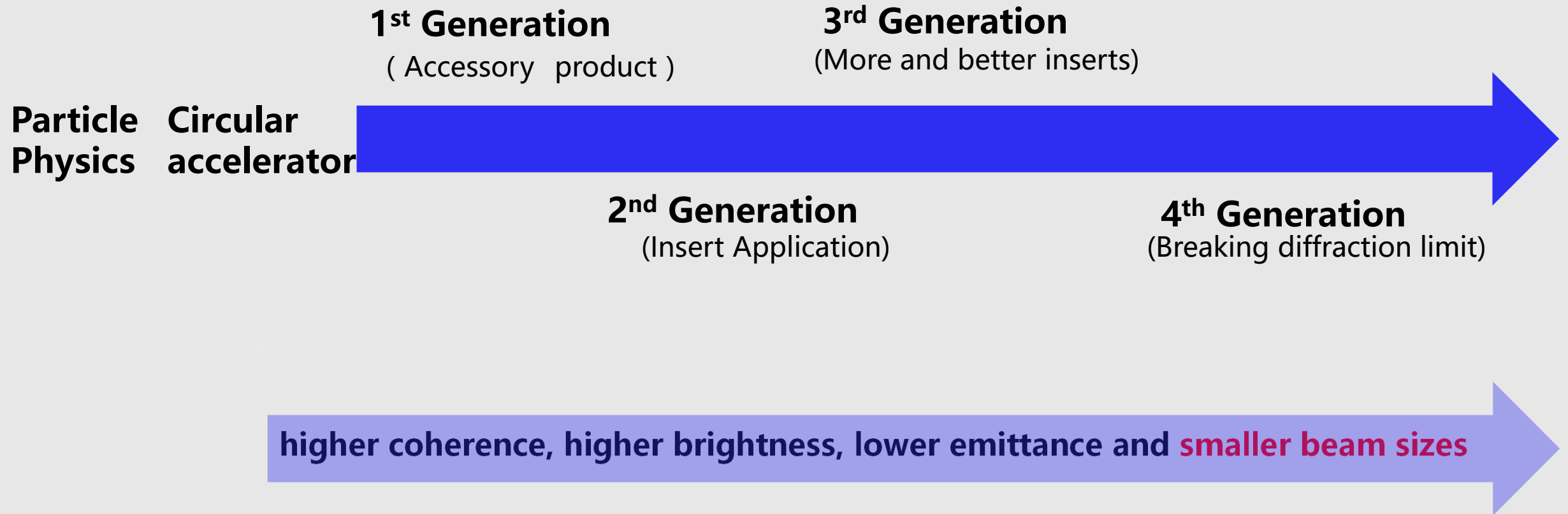
Zhang Wan

2024-09-10

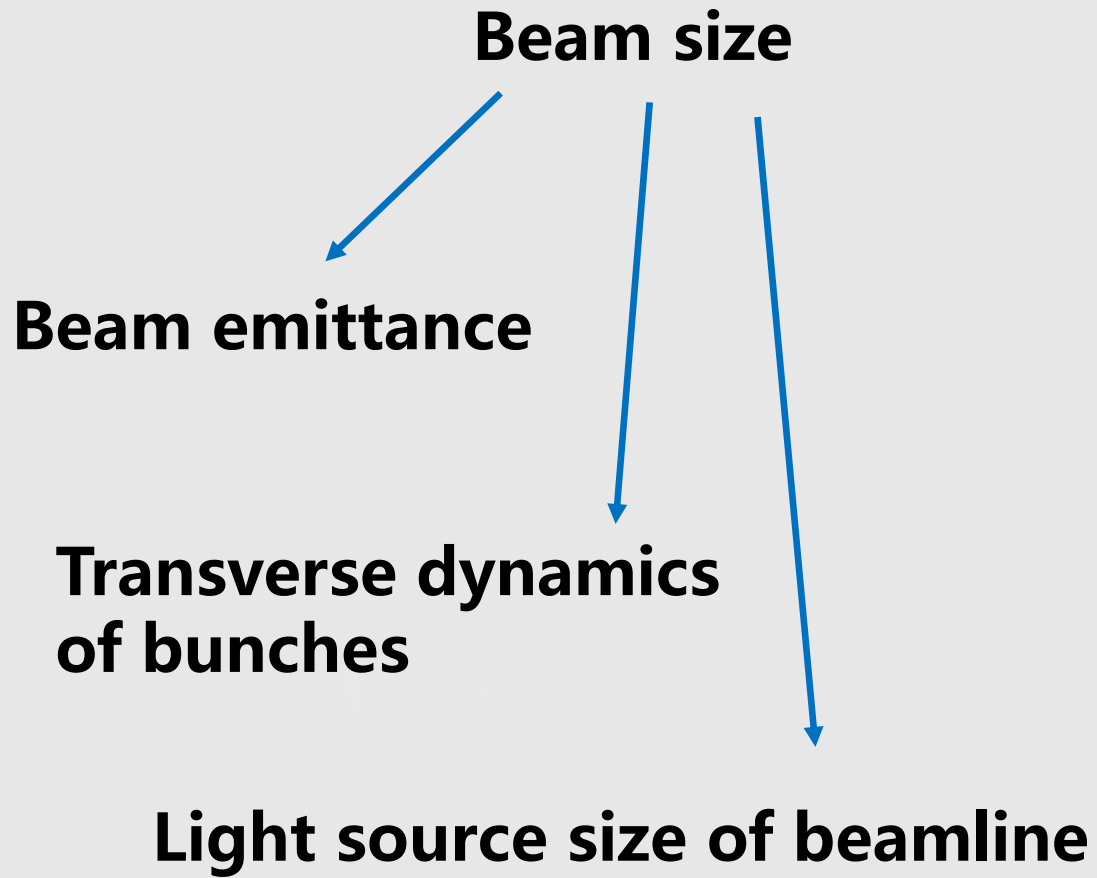
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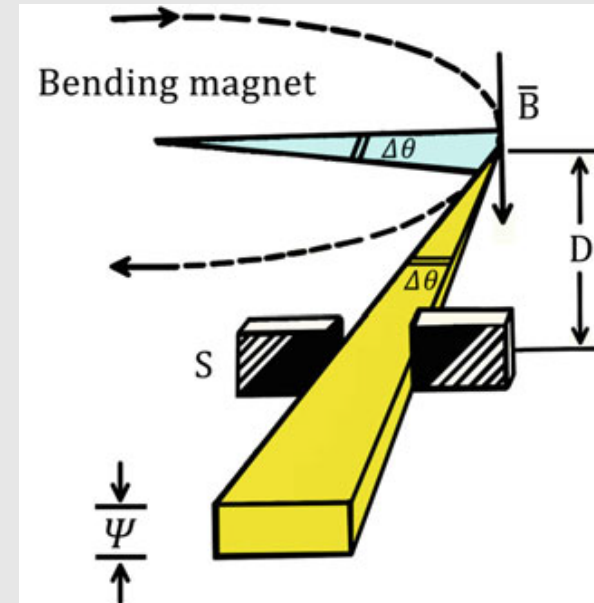
Background



Background



Beam size measurement

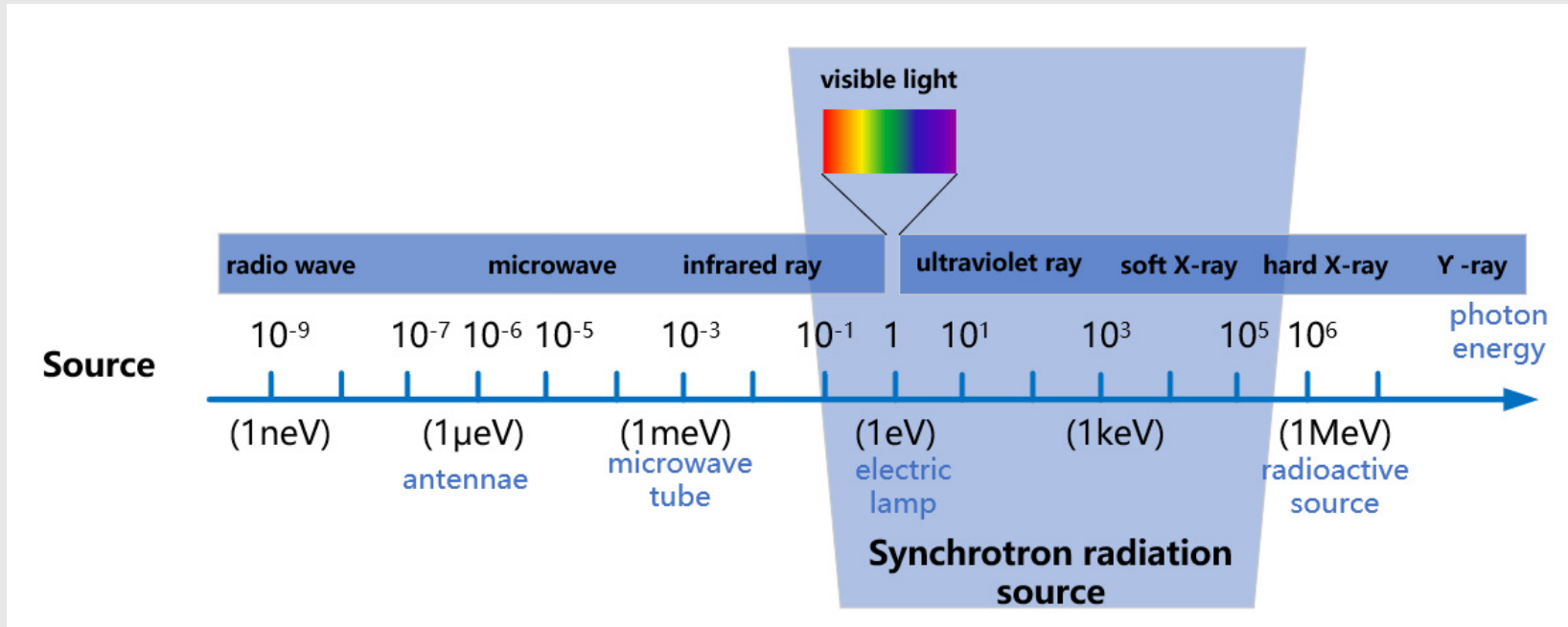


Synchrotron light

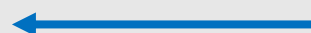
(unstoppable, natural photo isolation, the light source size is almost equal to the beam size)

Background

visible light { imaging directly
interference(double-slit interferometer)



short wavelength
high resolution



X-ray

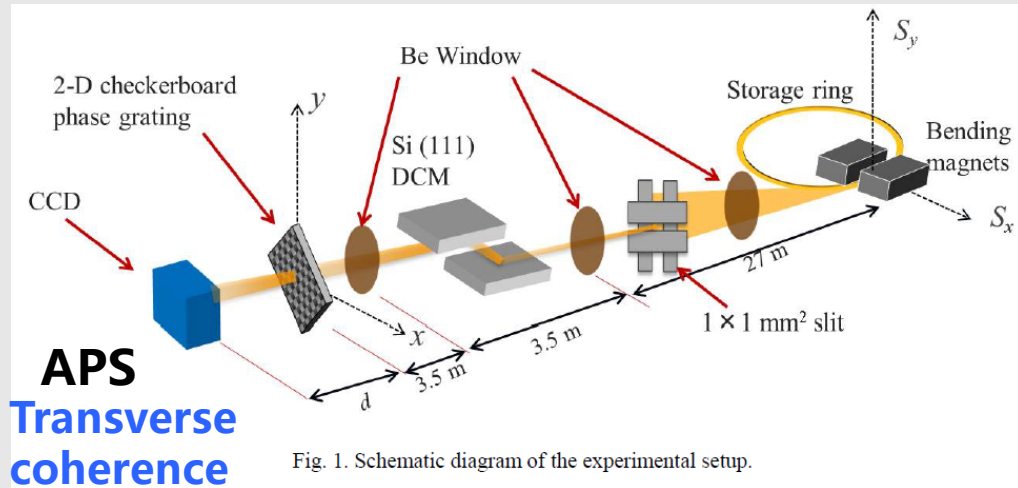
pinhole imaging
focused imaging
(KB mirror, CRL, FZP)
...

Background

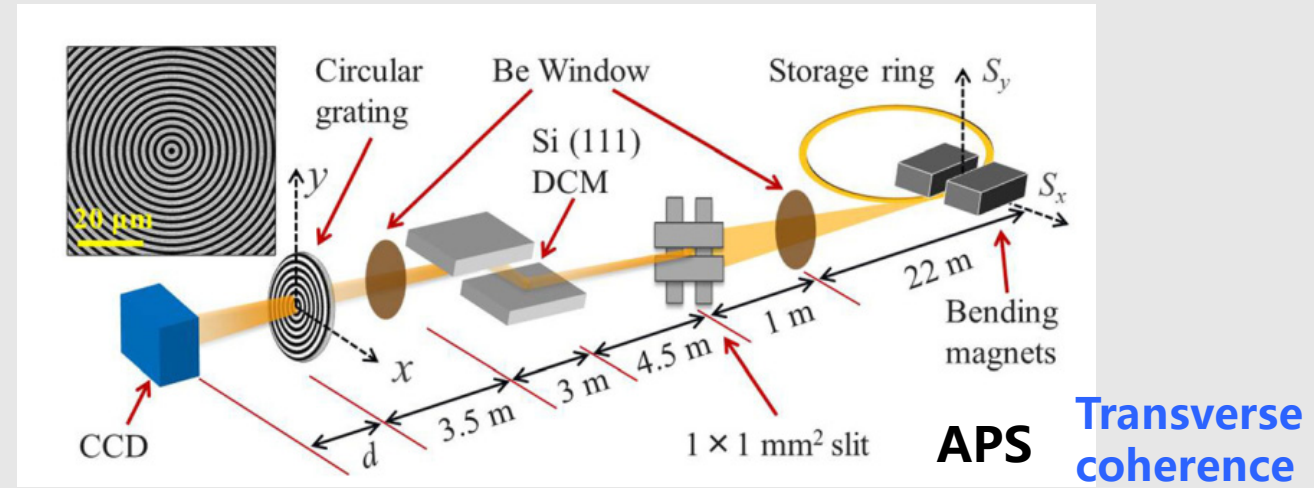
Method by using X-ray

Methods	X-ray pinhole imaging	X-ray double-slit interferometer	X-ray focused imaging (KB mirror, CRL, FZP)	Grating Talbot effect
optical device	simple	complex	complex	simple
Measuring Direction	Any direction	One direction	Any direction	Any direction
real-time measurement	Yes	Yes	Yes	No
Measurable beam size (μm)	$>10\mu\text{m}$	about $5\mu\text{m}$	about $5\mu\text{m}$	$<5\mu\text{m}$

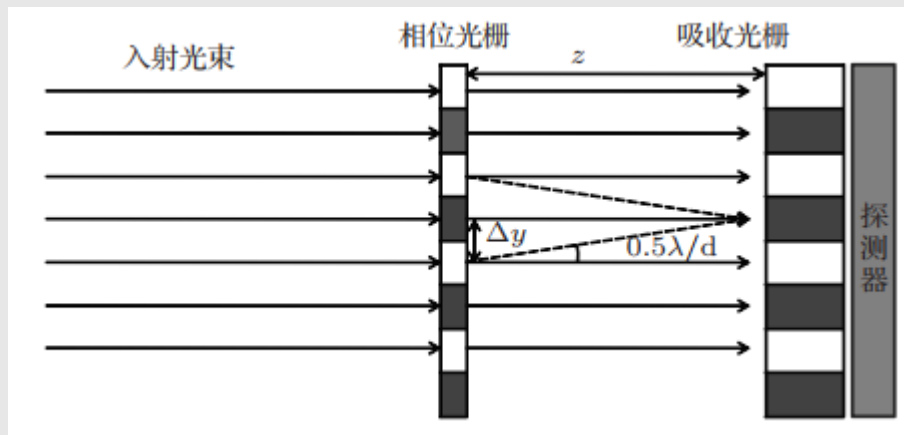
Background



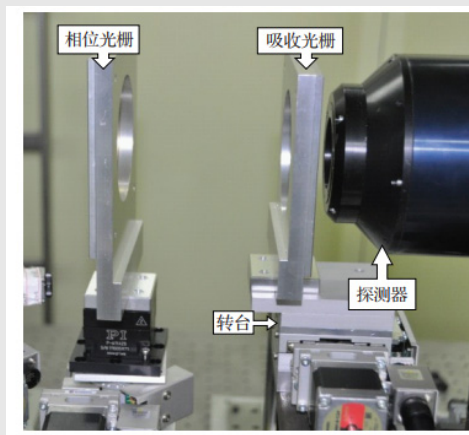
*Marathe S et al. *Optics express*, 2014, 22(12): 14041-14053.



*Shi X et al. *Applied Physics Letters*, 2014, 105(4): 041116.



*Qi J C et al. *Acta Phys. Sin.* 2014, 63(10): 104202.

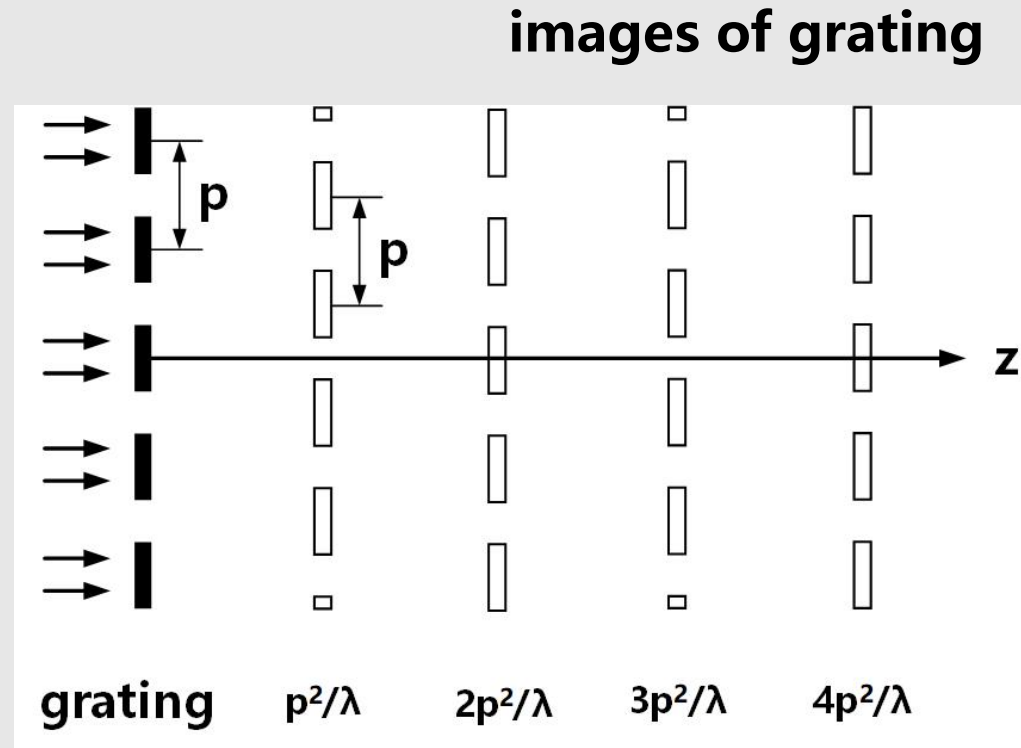


SSRF
(33keV,
measured:23μm,
theoretical :22 μm)

Theory

Grating Talbot effect

Monochromatic light

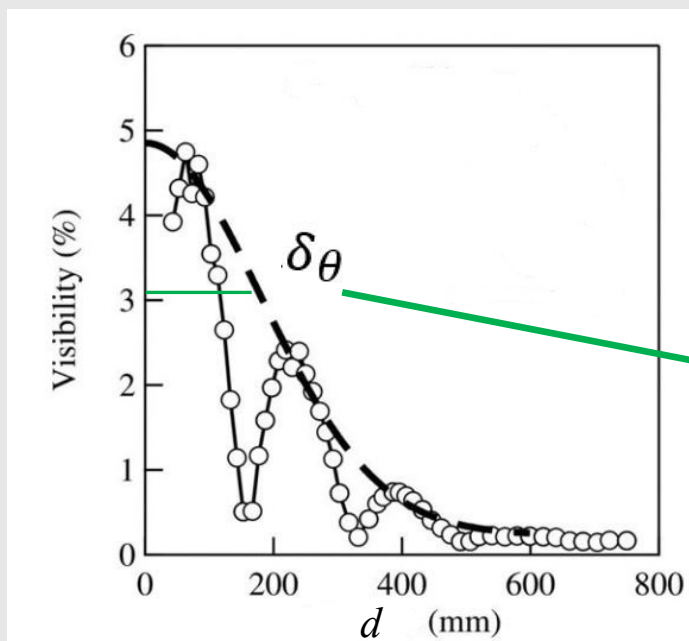
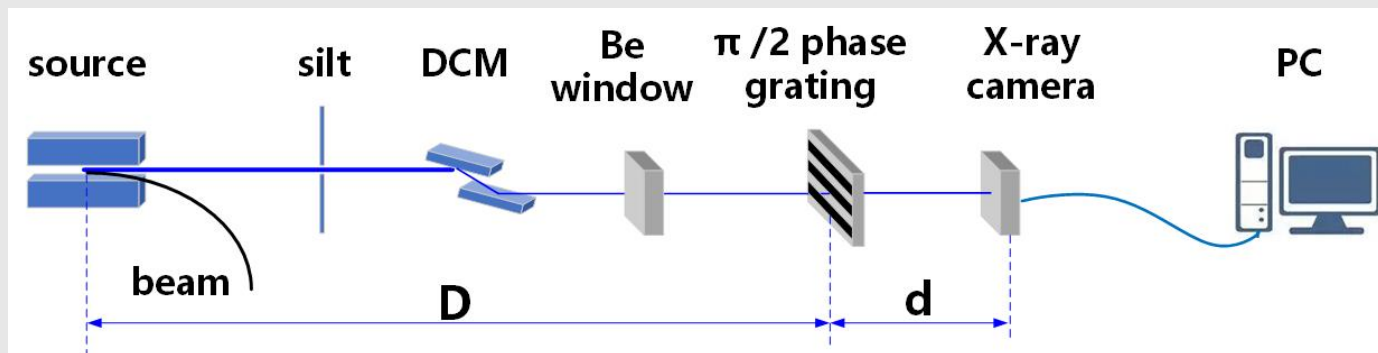


p is grating period, λ is the transmission wavelength

Completely coherent light source \longrightarrow Visibilities of images are equal

Partially coherent light source \longrightarrow Visibility decreases with the increase of transmission distance \longrightarrow spatial coherence

Theory



distance from source to grating

$$\xi_x = \frac{\lambda D}{2\pi\sigma_x}, \quad \xi_y = \frac{\lambda D}{2\pi\sigma_y}$$

spatial coherence length

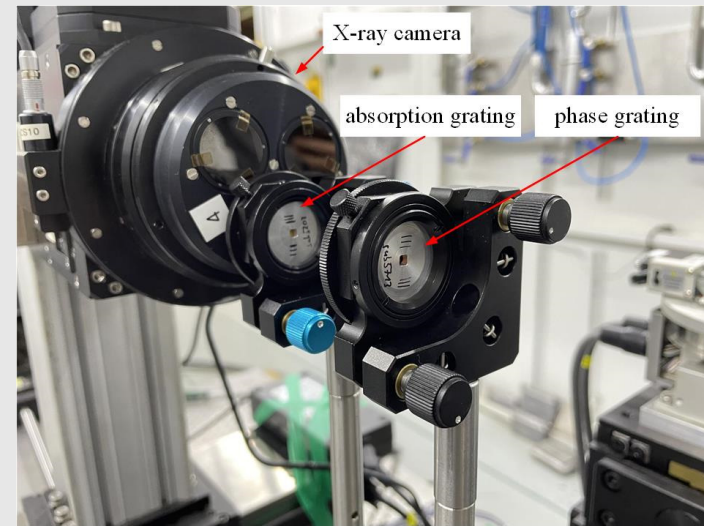
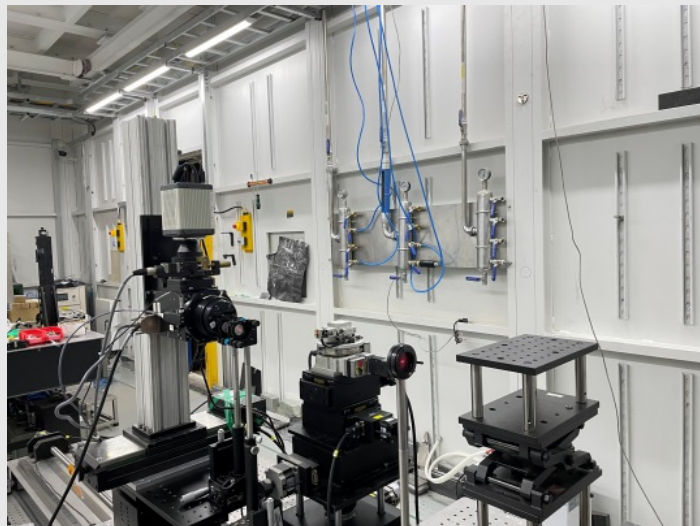
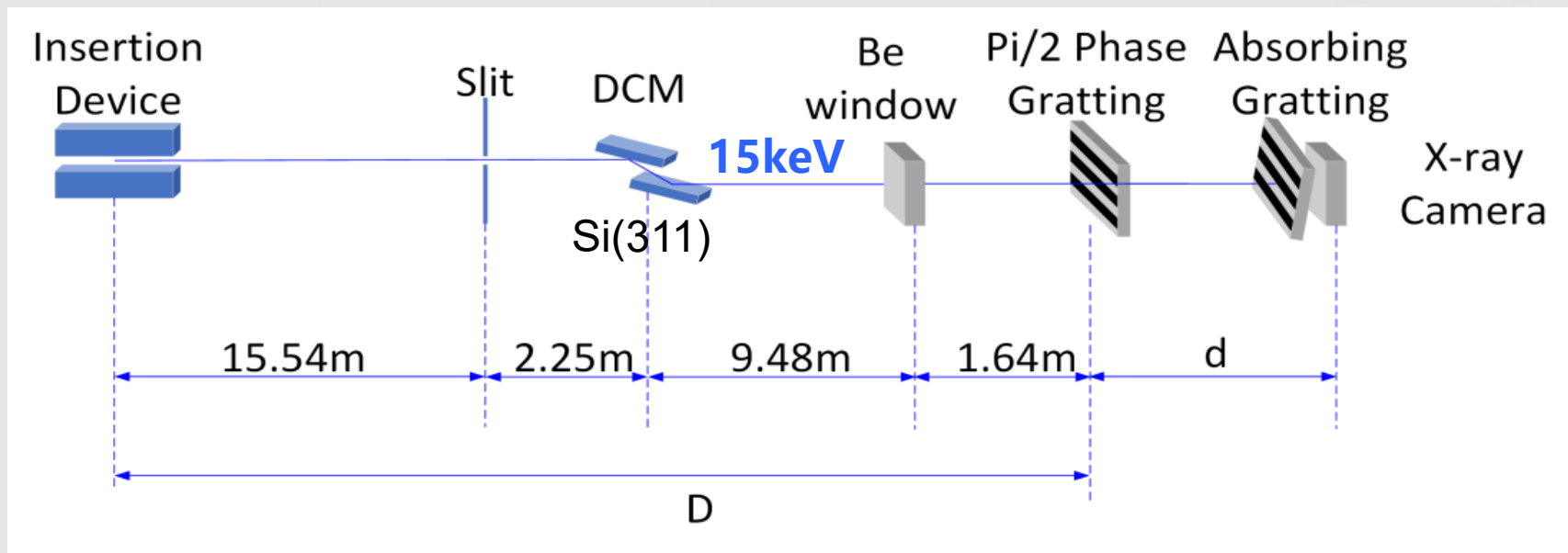
source size

$$\xi_{exp,\theta} = \frac{\lambda\delta\theta}{p_\theta}$$

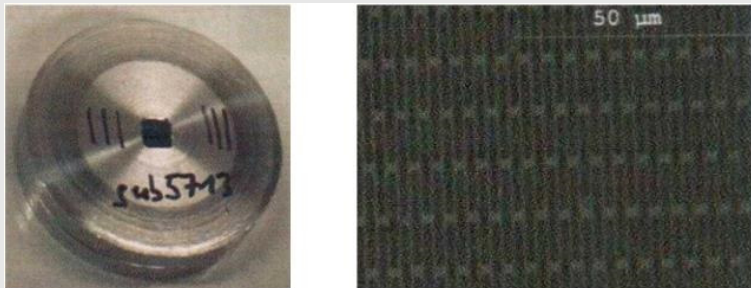
period of grating image

$$\sigma_x = \frac{p_x D}{2\pi\delta_x}, \quad \sigma_y = \frac{p_y D}{2\pi\delta_y}$$

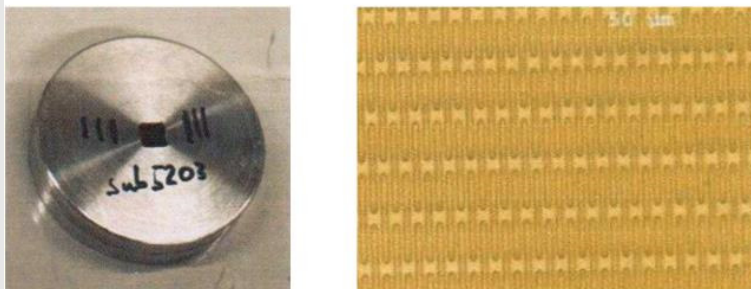
Setup



Setup



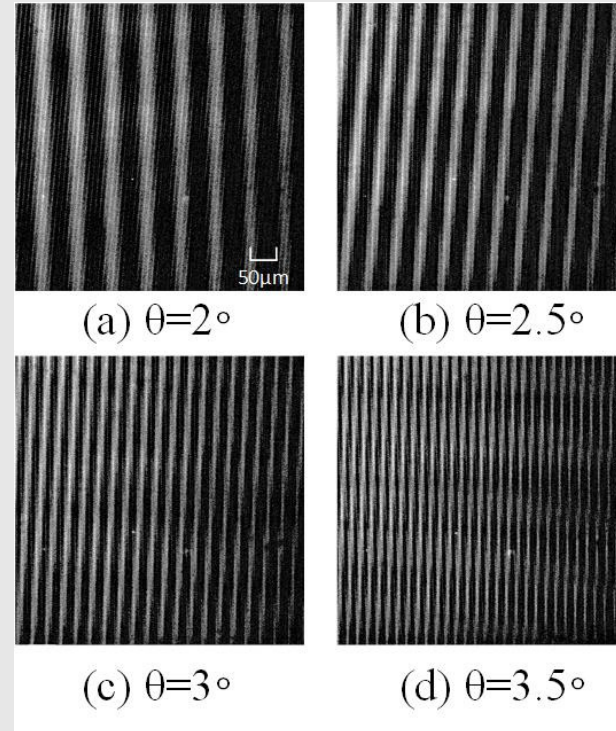
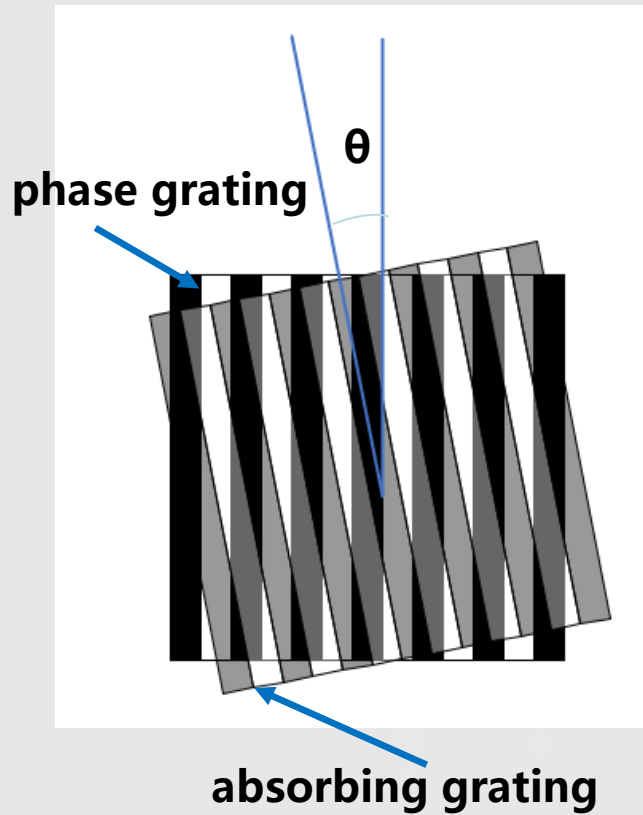
(a) phase grating



(b) absorption grating

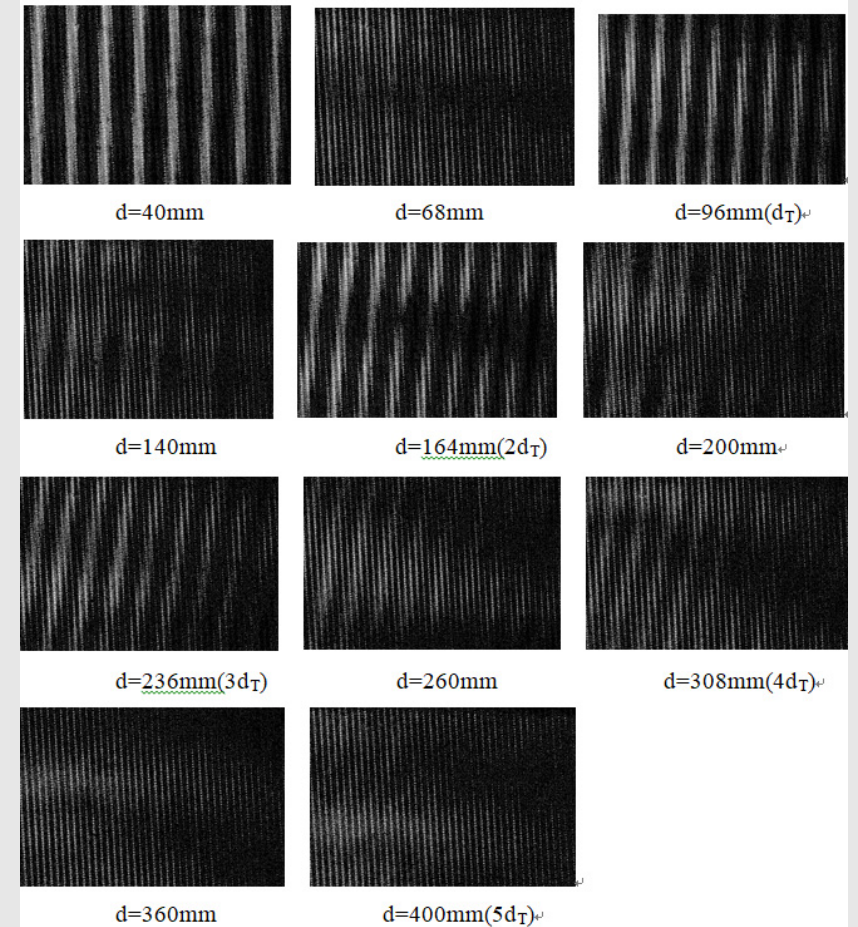
Parameters	phase grating	absorption grating
Period	2.4μm	2.4μm
Duty Cycle	0.53±0.01	0.51±0.01
Area	>2.5×2.5mm ²	>2.5×2.5mm ²
Height	Polymer 18.6μm	Gold 14±1μm
Substrate	10μm Polyimide	10μm Polyimide

Results



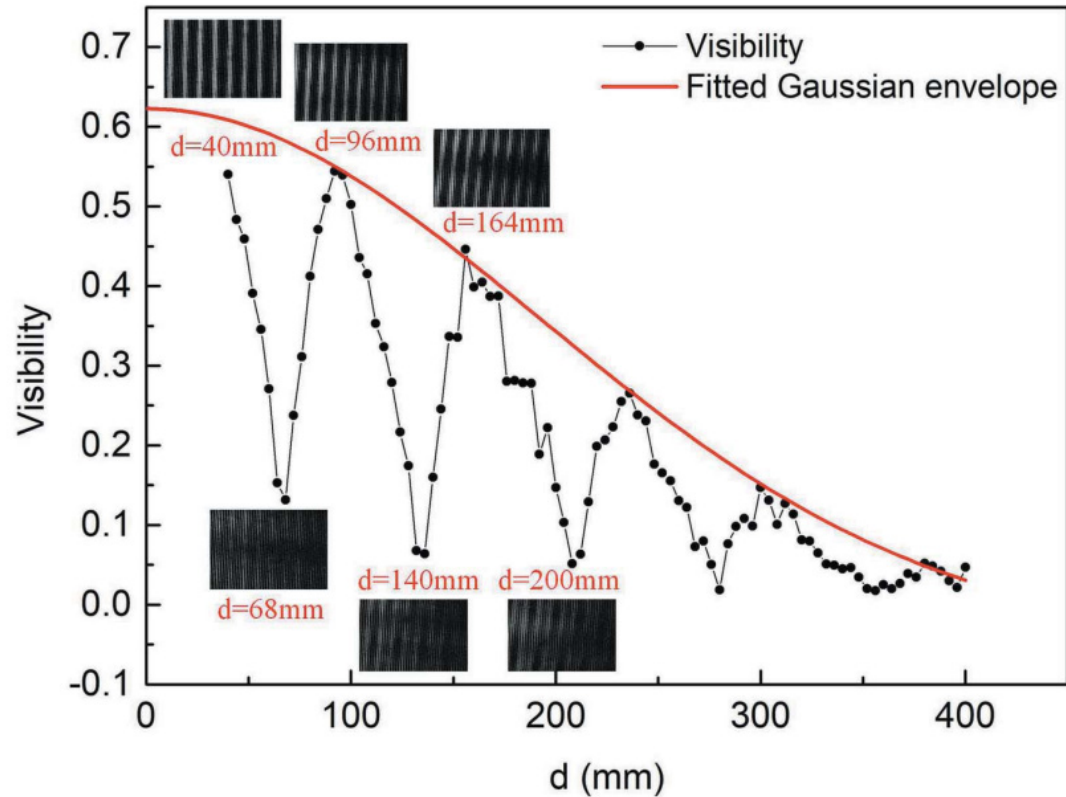
Moire fringe images

$\theta=2^\circ$

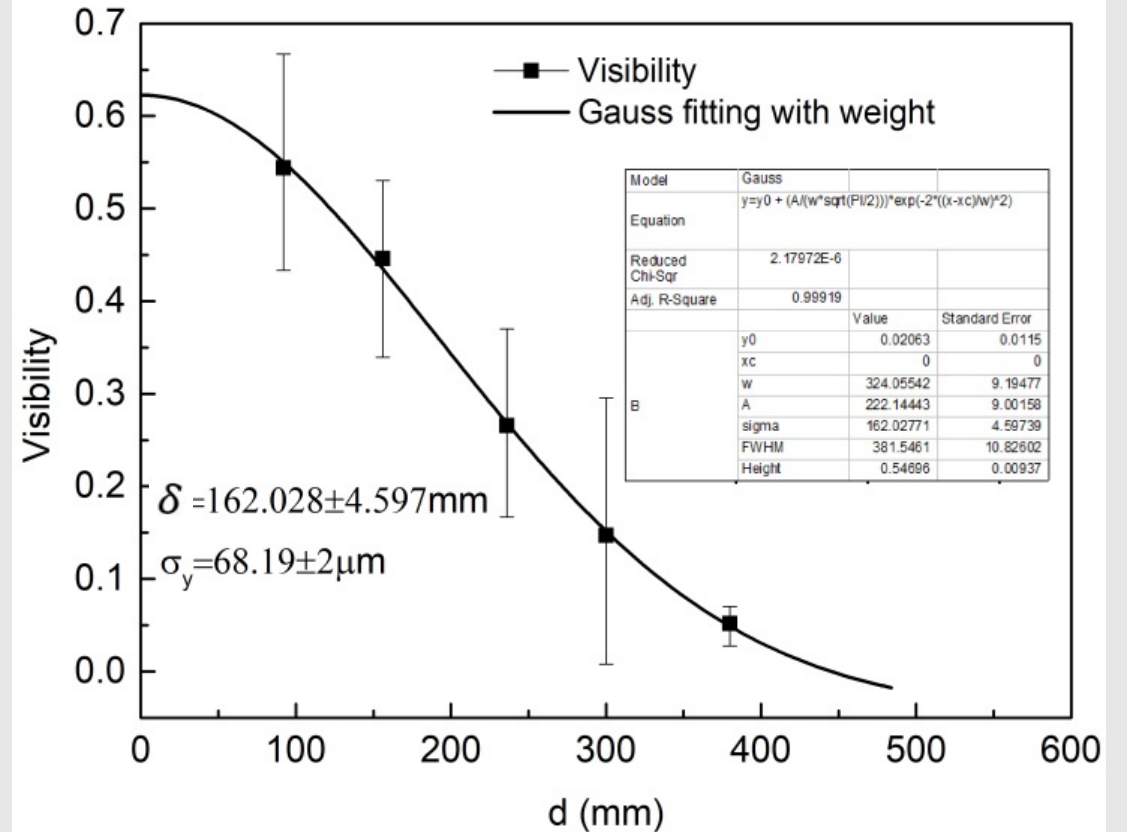


The interference images at different Talbot distances

Results



The visibility shows periodic oscillations. The local maximum of visibility at fractional Talbot distance decreases gradually due to the partial coherence of the source.



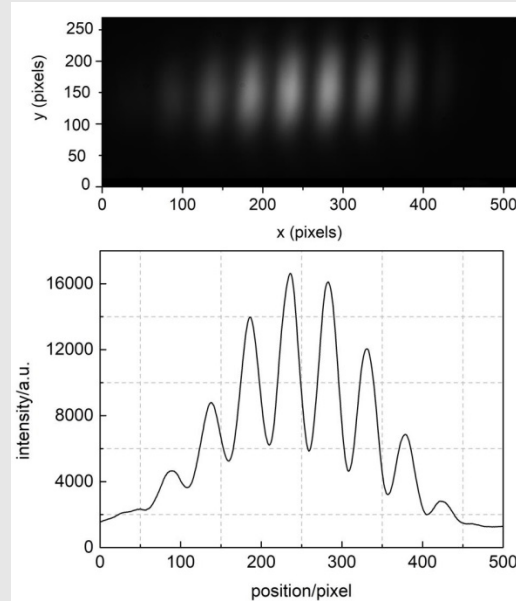
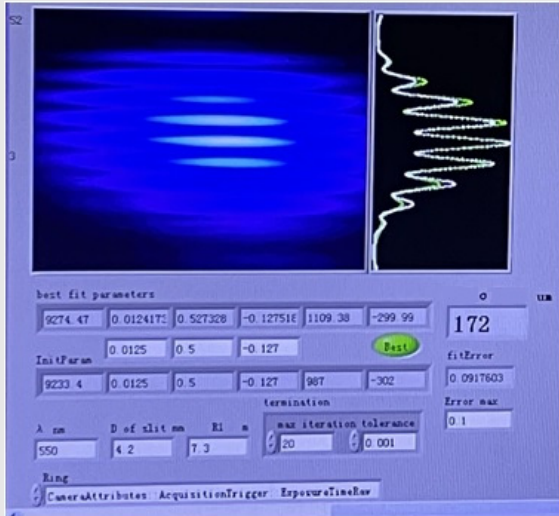
spatial coherence length $\xi_y = 5.592\mu\text{m}$

source size $\sigma_y = 68.19\mu\text{m}$

Results

contrast experiment

The visible light beamline of BEPCII



the vertical beam size measurement with a double-slit interferometer

The comparison of vertical emittance derived from two methods

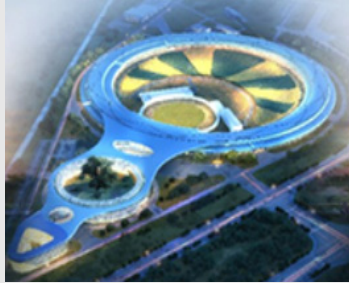
$$\sigma_y^2 = \epsilon_y \beta_y$$

Parameters	3W1	visible light beamline
Method	grating self-imaging	visible light imaging
β_y	3.2877m	20.975m
σ_y	68.19 μ m	171.4 μ m
ϵ_y	1.41 nm\cdotrad	1.40 nm\cdotrad

The results of the two methods agree very well

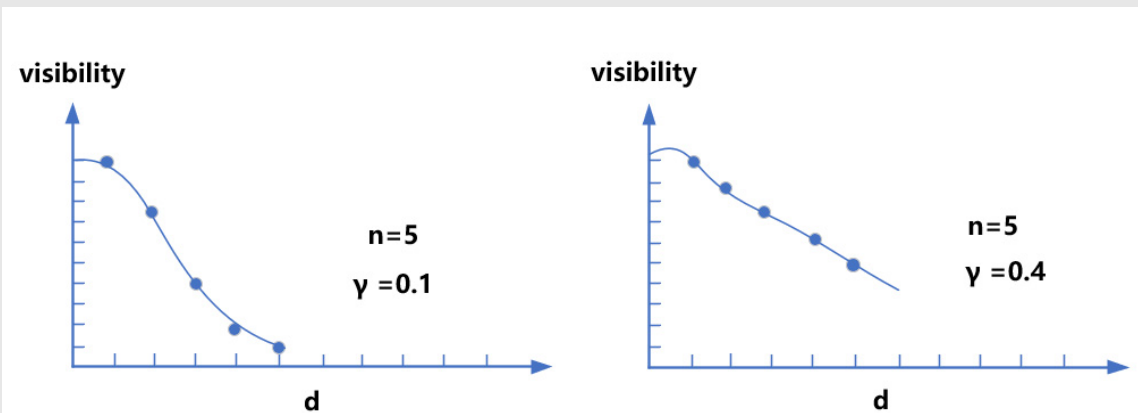
Potential

4th Generation



higher coherence
lower emittance
smaller beam size

$$\sqrt{\frac{2 \ln \gamma}{n(1-n)}} \xi_{\theta} < p_{\theta} < \left(\frac{2 \lambda d_{max}}{2n-1} \right)^{1/2}$$



Suitable n ($n > 5$)

Suitable $\gamma = V_{min}/V_{max}$

HEPS

stores ring physical parameters	value	unit
linear section with high β		
Beam size in horizontal direction/ and vertical direction(rms)	16.7/5.1	μm
beam divergence angle in horizontal direction/ and vertical direction(rms)	1.65/0.53	μrad

The suitable grating period can be derived according to various conditions.

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Thank you very much !