



14<sup>th</sup> International Particle  
Accelerator Conference

# IPAC '23

7 - 12 May 2023  
VENICE, ITALY

Hosting institutions



Elettra Sincrotrone Trieste



Stu Istituto Nazionale di Fisica Nucleare  
May

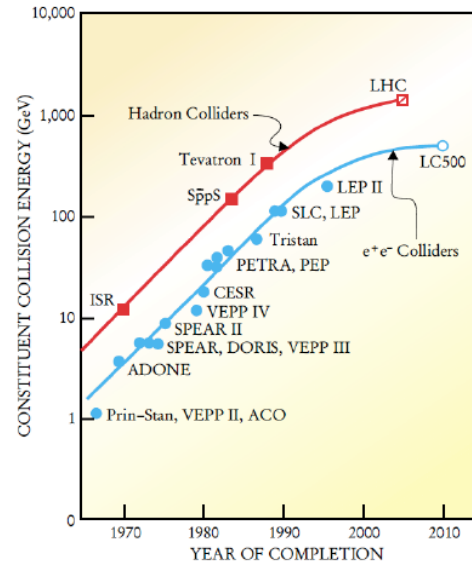


# Challenges of plasma cell-based accelerators

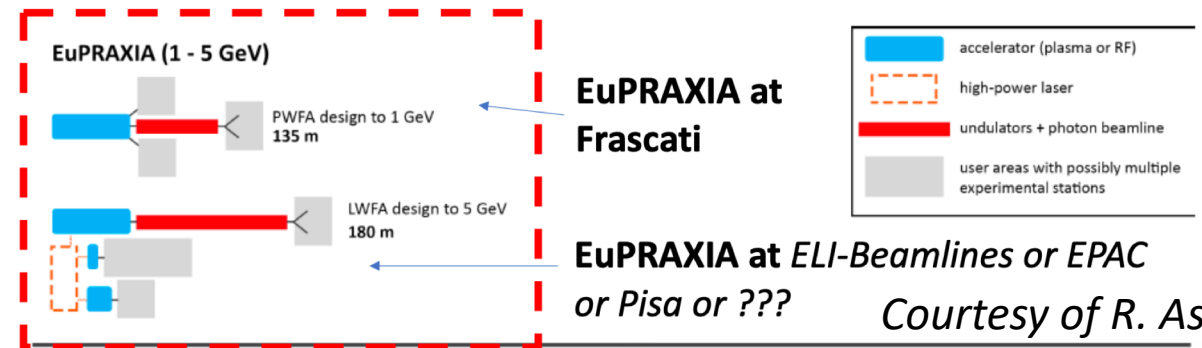
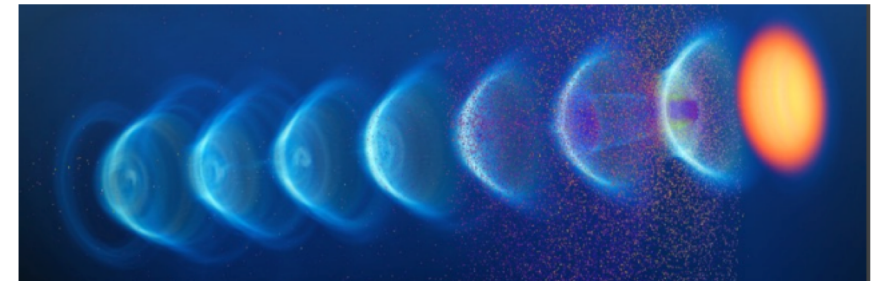
*Enrica Chiadroni*  
(SBAI Dept. Sapienza  
University of Rome and  
INFN-LNF)

# Outline

- Saturation of conventional accelerators technology
- Novel acceleration techniques
  - Plasma-based accelerators driven either by laser or particle beams
- Towards compact facilities for High Energy Physics studies and novel radiation sources production

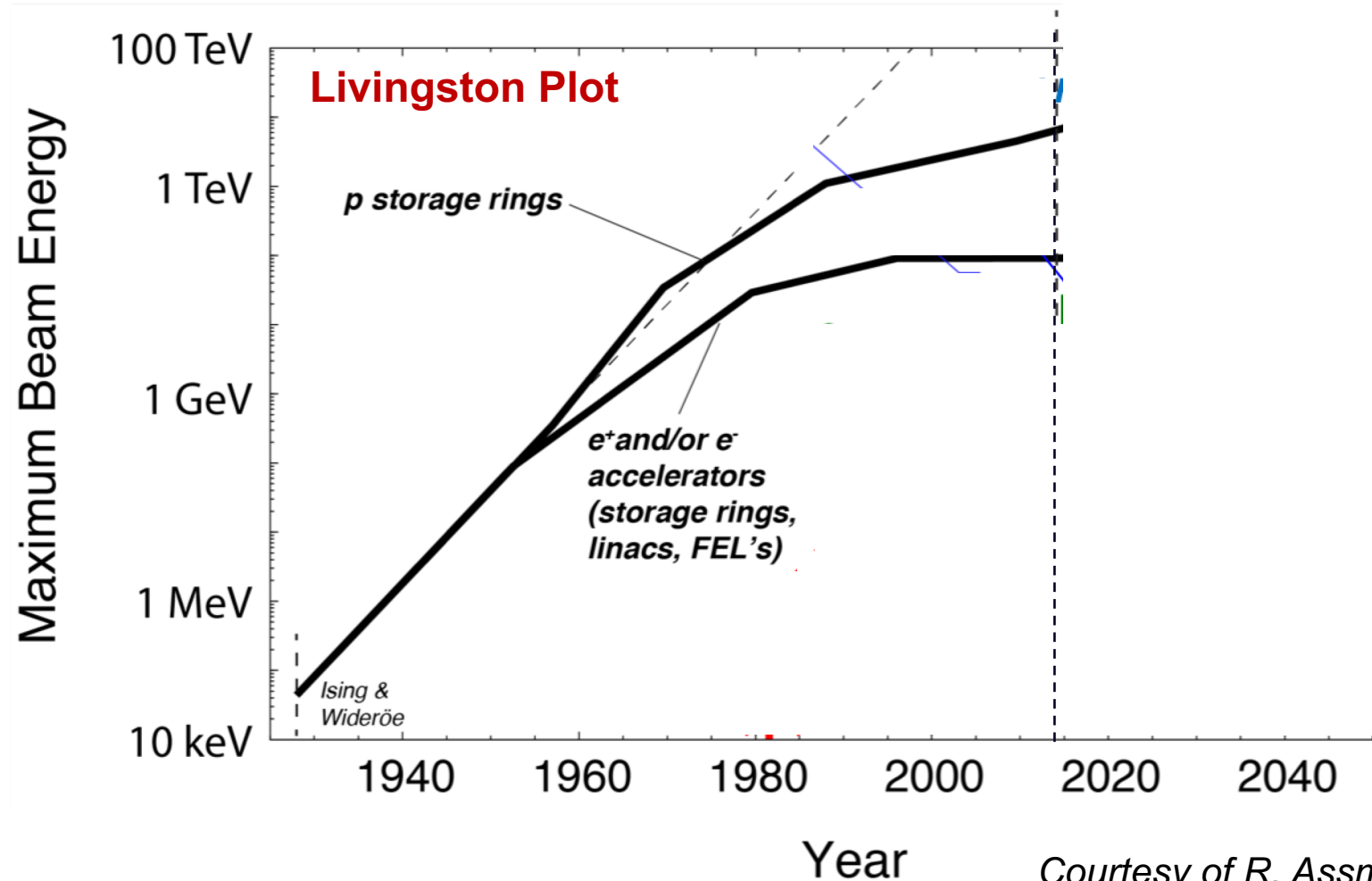


M. Tigner, DOES ACCELERATOR-BASED PARTICLE PHYSICS HAVE A FUTURE? *Phys. Today* (2001)



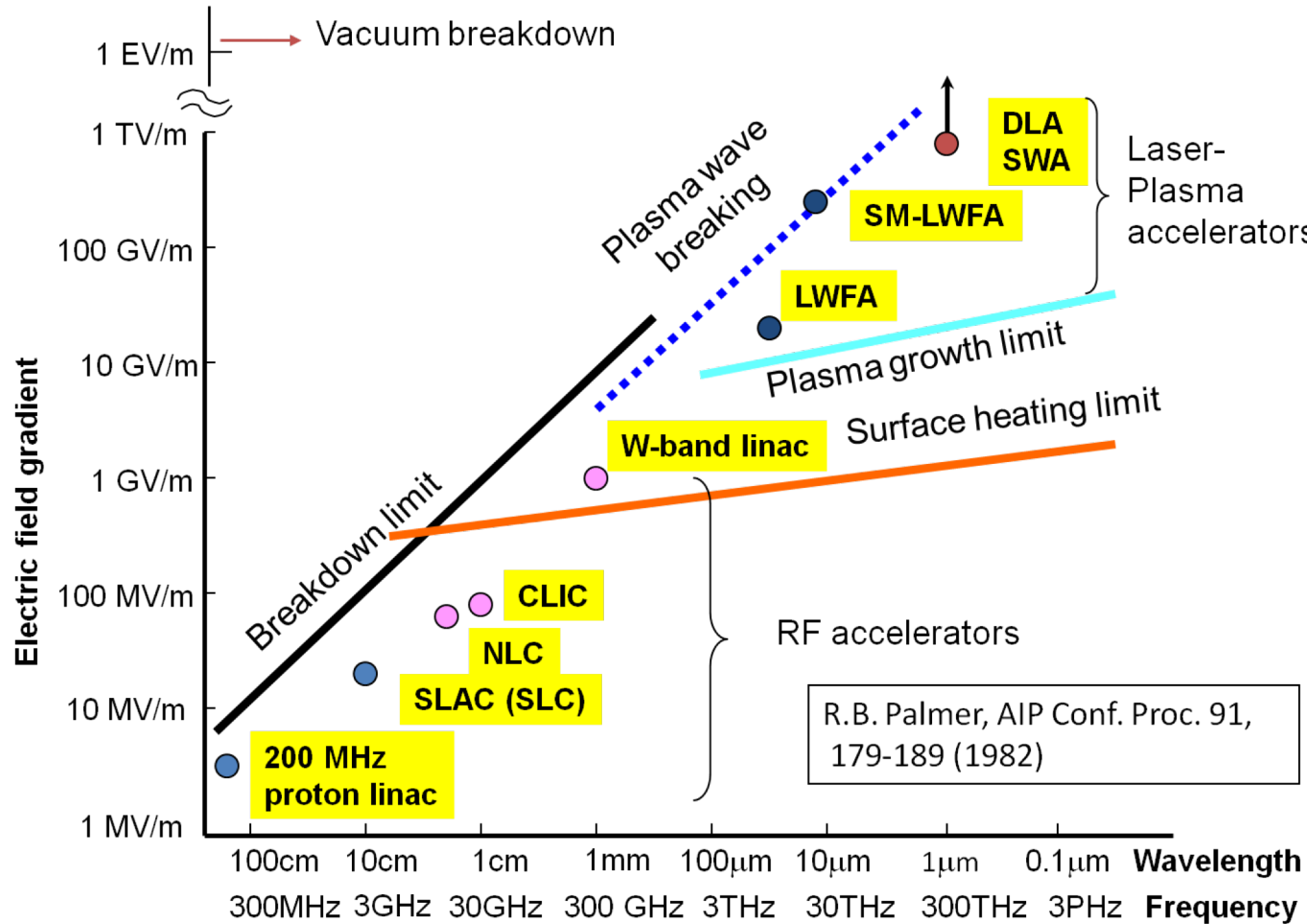
Courtesy of R. Assmann

# Saturation of Accelerator Technology



Courtesy of R. Assmann, EAAC 2015, 9/2015

# Accelerating Field Limits



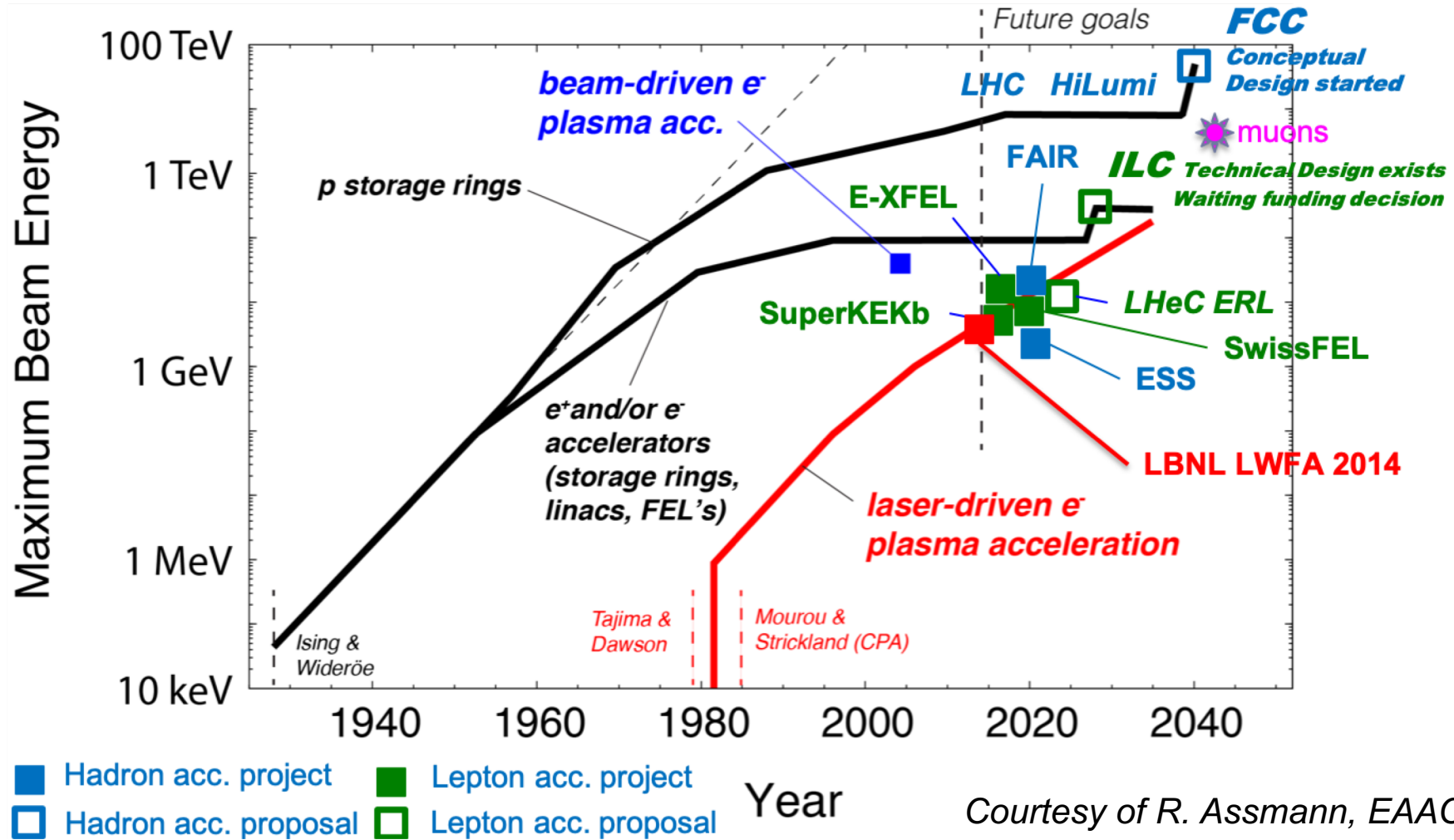
- **Gradient limited by material breakdown**
  - e.g. X-band demonstration around 120 MV/m)

- **High-gradient field => reduction of operating wavelength, from RF to the THz**

$$E_s(MV/m) = 220[f(GHz)]^{1/3}$$

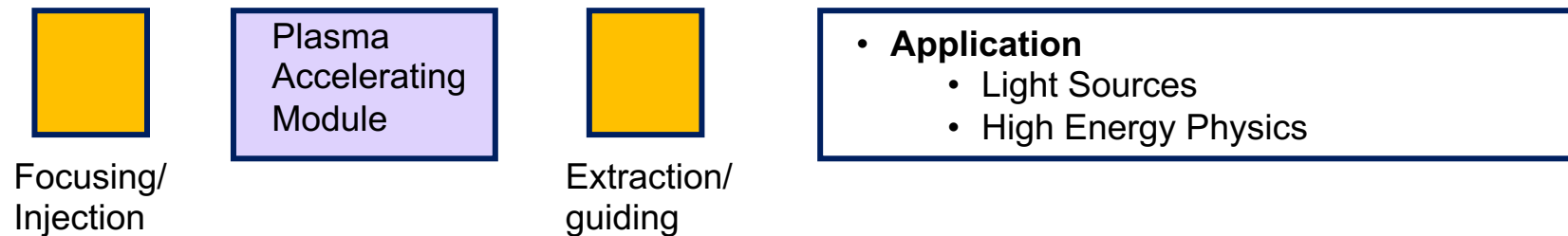
- **Challenges in power generation**
  - **new paradigm in the excitation of accelerating waves**

# Updated Livingston Plot



# Towards Compact Facilities

- **Multi GeV** acceleration *in cm scale* plasma structures
- Acceleration of high brightness electron beams and their transport up to the final application, preserving the high quality of the 6D beam phase space



- Injection and matching to plasma accelerating module
- Extraction and guiding to final application

# International Scenario

## PRESENT EXPERIMENTS

Demonstrating  
**100 GV/m** routinely

Demonstrating **GeV** electron  
beams

Demonstrating basic **quality**



## EuPRAXIA INFRASTRUCTURE

Engineering a high quality,  
compact plasma accelerator

5 GeV electron beam for the  
**2020's**

Demonstrating user readiness

Pilot users from FEL, HEP,  
medicine, ...



## PRODUCTION FACILITIES

Plasma-based **linear  
collider** in **2040's**

Plasma-based **FEL** in  
**2030's**

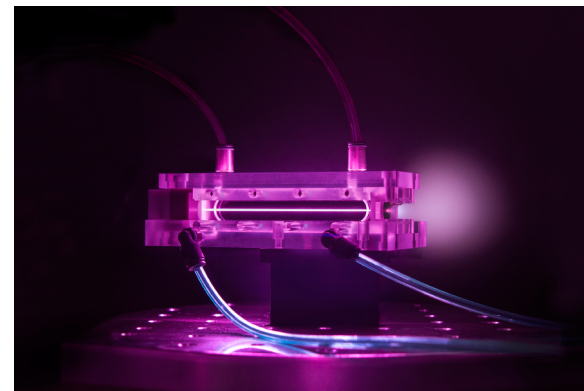
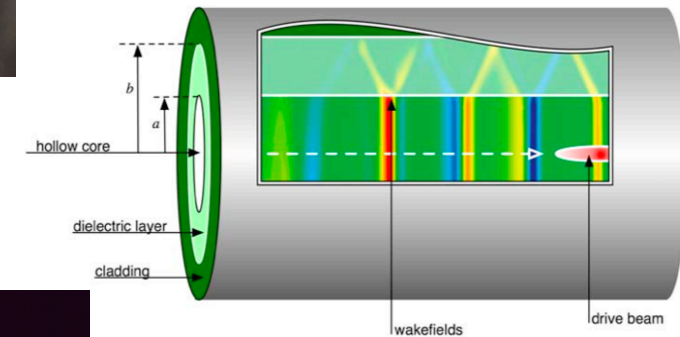
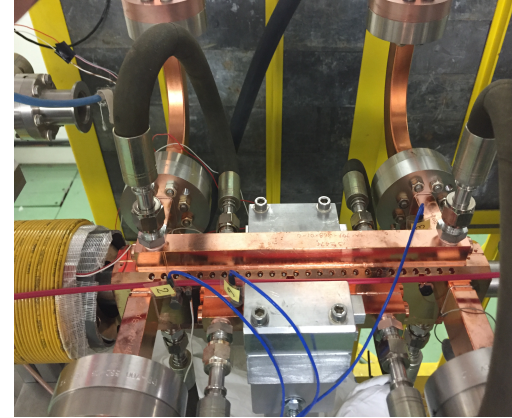
**Medical, industrial  
applications** soon





# High Gradient Options

- **RF accelerating structures, from X-band to K-band**  
 $100 \text{ MV/m} < E_{\text{acc}} < 1 \text{ GV/m}$
- **Dielectric structures, laser or particle driven**  
 $1 \text{ GV/m} < E_{\text{acc}} < 5 \text{ GV/m}$
- **Plasma accelerator, laser or particle driven**  
 $1 \text{ GV/m} < E_{\text{acc}} < 100 \text{ GV/m}$



# Acceleration in Vacuum

In vacuum, the motion of an electron in a laser field is determined by the Lorentz force equation

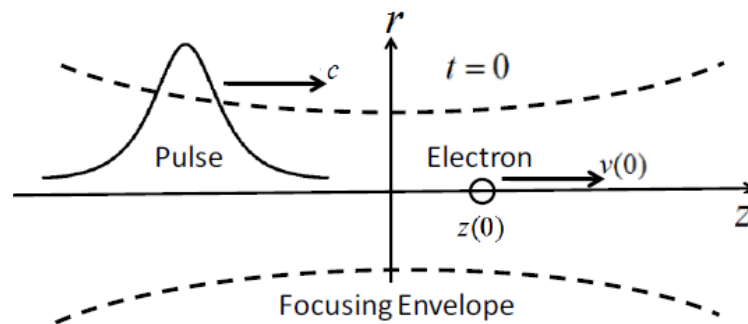
$$\vec{E}(\vec{r}, t) = \vec{E}_s(\vec{r}, t) \cos(\omega t) \quad \text{is}$$

“direct” laser acceleration

$$\frac{d\vec{p}}{dt} = -e \left[ \vec{E} + \frac{1}{c} (\vec{v} \times \vec{B}) \right]$$

“ponderomotive” laser acceleration

Let consider an electron initially ( $t=0$ ) on the beam axis of the laser at  $z = z(0)$ , moving in the longitudinal direction with velocity  $\vec{v}(0) = v(0)\hat{z}$



# Acceleration in Vacuum

When a laser field propagating along the z axis is focused in vacuum, the laser spot size and intensity, assuming a fundamental Gaussian mode, evolve as

$$r_s = r_0 \sqrt{1 + \frac{z^2}{Z_R^2}} \quad I = I_0 \frac{r_0^2}{r_s^2} e^{-\frac{2r^2}{r_s^2}}$$
$$Z_R = \frac{kr_0^2}{2} \quad \text{Rayleigh length}$$

The finite laser spot size implies the existence of an axial component of the laser electric field via

$$\nabla \cdot \vec{E} = 0, \text{ i.e. } E_z \approx \frac{1}{kr_0} E_\perp$$

The amplitude of the axial field can be very large: the axial field might be directly used for laser acceleration.

However,  $v_{ph} > c$  and near the focus is  $\frac{v_{ph}}{c} \cong 1 + \frac{1}{kZ_R}$

Since  $v_{ph} > c$ , **electrons with  $v_z < c$  will phase slip with respect to the accelerating field and decelerate.**

# Lawson-Woodward Theorem

The net energy gain of a relativistic electron interacting with an electromagnetic field **in vacuum** is zero

The theorem assumes that

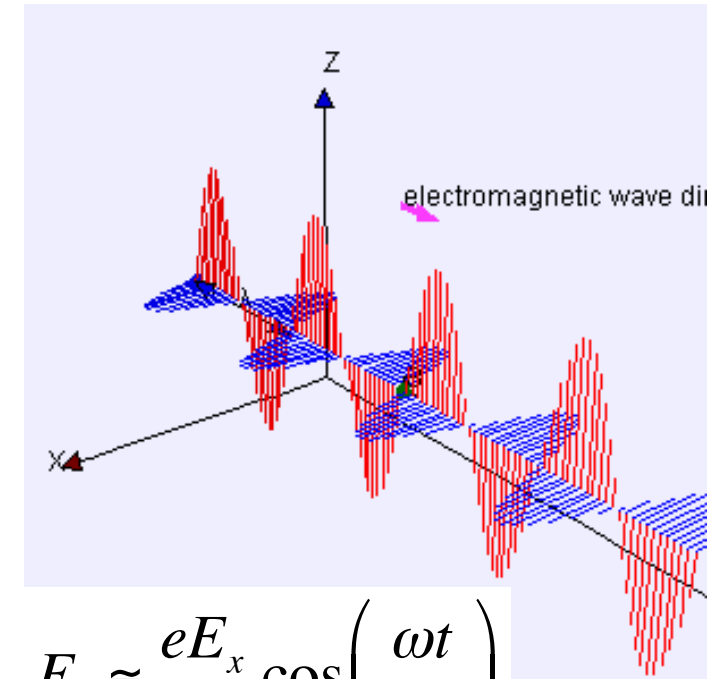
- (i) the em field is in vacuum **with no walls or boundaries present**
- (ii) the electron is highly relativistic ( $v \approx c$ ) along the acceleration path
- (iii) no static electric or magnetic fields are present
- (iv) the region of interaction is infinite
- (v) ponderomotive effects (nonlinear forces, e.g.  $\mathbf{v} \times \mathbf{B}$  force) are neglected



**Acceleration mechanism must violate the  
Lawson-Woodward theorem**

*J.D. Lawson, IEEE Trans. Nucl. Sci. NS-26, 4217, 1979*

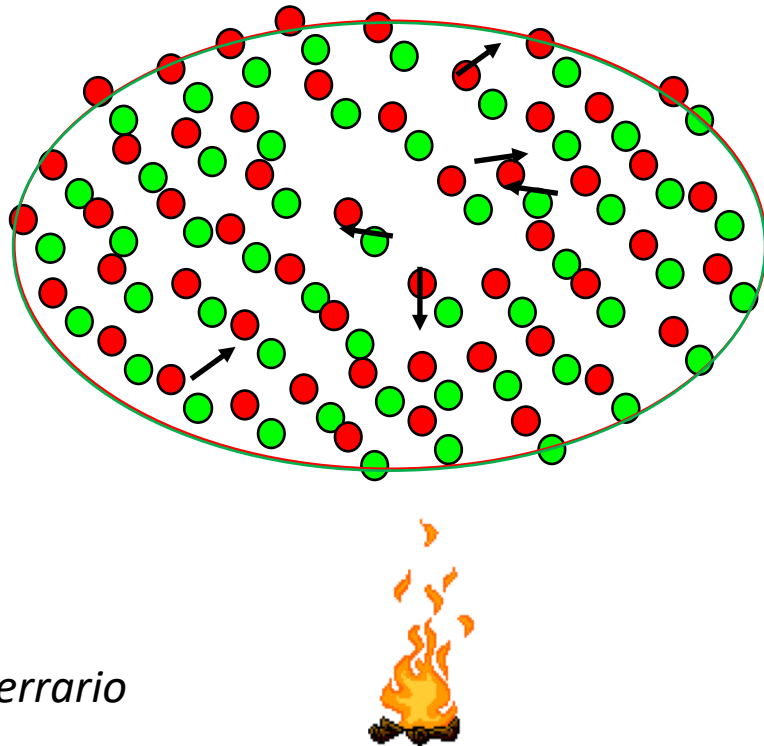
*P.M. Woodward, J. Inst. Electr. Eng. 93, 1554, 1947*



$$F_{\perp} \cong \frac{eE_x}{2\gamma^2} \cos\left(\frac{\omega t}{2\gamma^2}\right)$$



# Plasma Model

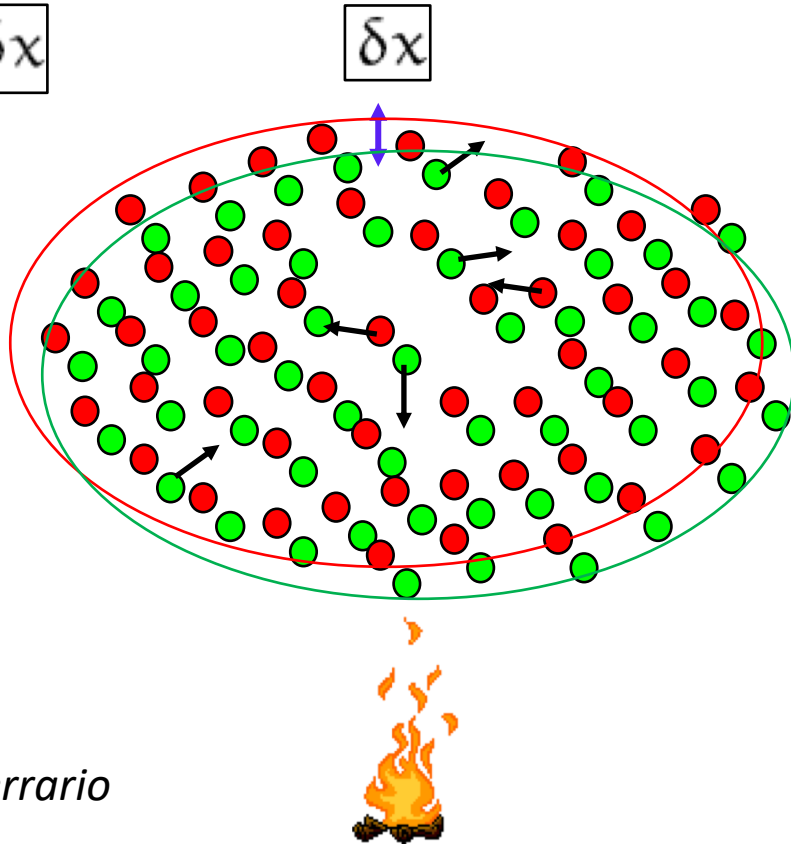


*Courtesy of M. Ferrario*

# Plasma Model

Surface charge density

$$\sigma = en\delta x$$

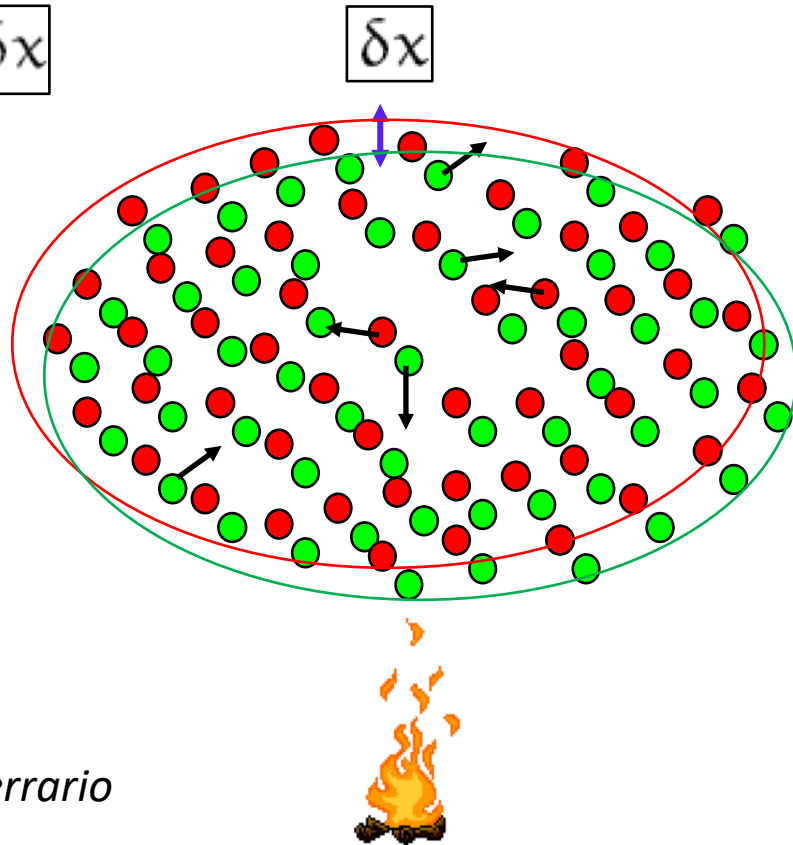


*Courtesy of M. Ferrario*

# Plasma Model

Surface charge density

$$\sigma = e n \delta x$$



Surface electric field

$$E_x = -\sigma/\epsilon_0 = -e n \delta x/\epsilon_0$$

Restoring force

$$m \frac{d^2 \delta x}{dt^2} = e E_x = -m \omega_p^2 \delta x$$

Plasma oscillations

$$\delta x = (\delta x)_0 \cos(\omega_p t)$$

Plasma frequency

$$\omega_p^2 = \frac{n e^2}{\epsilon_0 m}$$

**Collective behavior !!**

Courtesy of M. Ferrario

# Plasma Definition

- A partially or completely ionized gas, globally neutral, is a plasma if it exhibits a **collective behavior**

- Coulomb shielding
  - Dimensions  $\gg$  Debye length

$$\lambda_D = \sqrt{\frac{kT\epsilon_0}{ne^2}}$$

- Plasma Oscillations
  - Temporal response  $\gg \omega_p^{-1}$

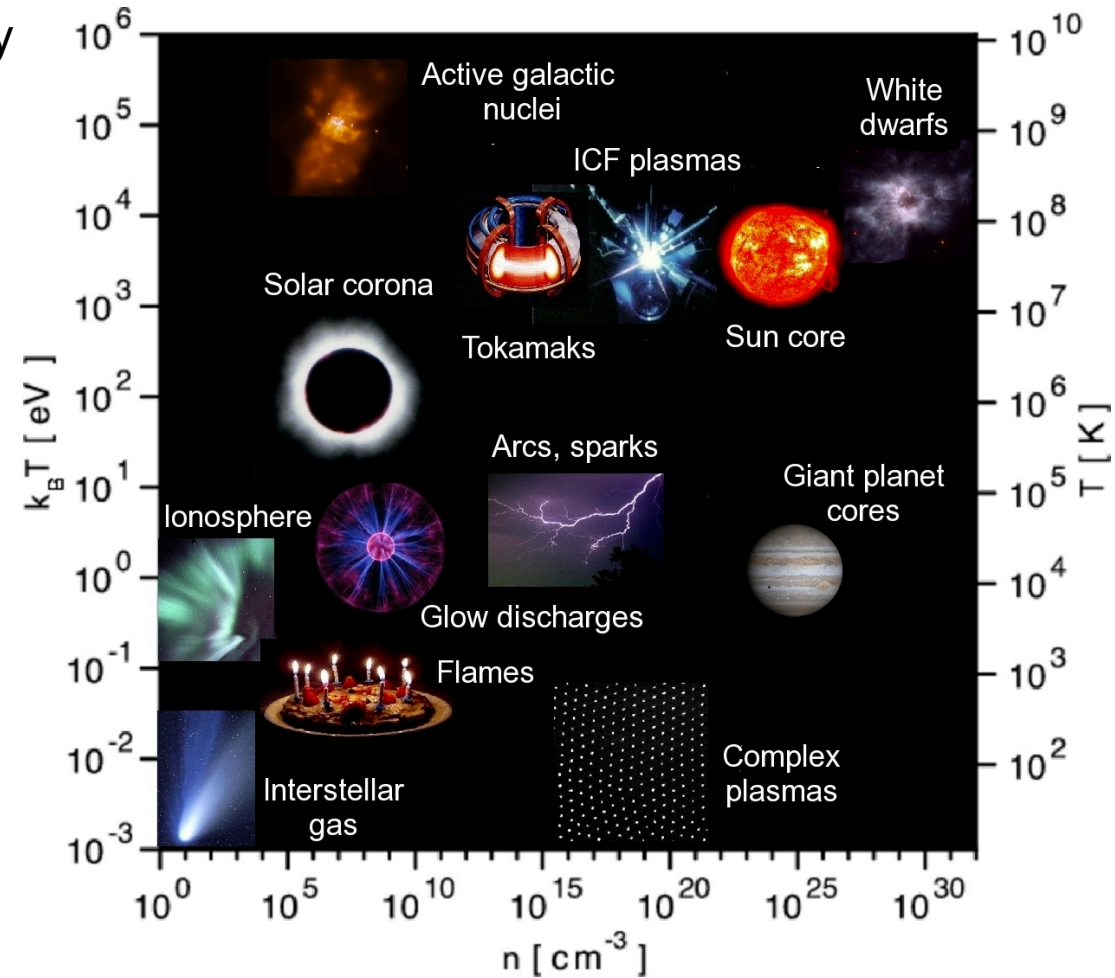
$$\omega_p = \sqrt{\frac{ne^2}{m\epsilon_0}}$$

- The large electric fields a plasma can sustain are supported by collective motion of plasma electrons, forming a **space charge disturbance** moving at a speed slightly smaller than  $c$



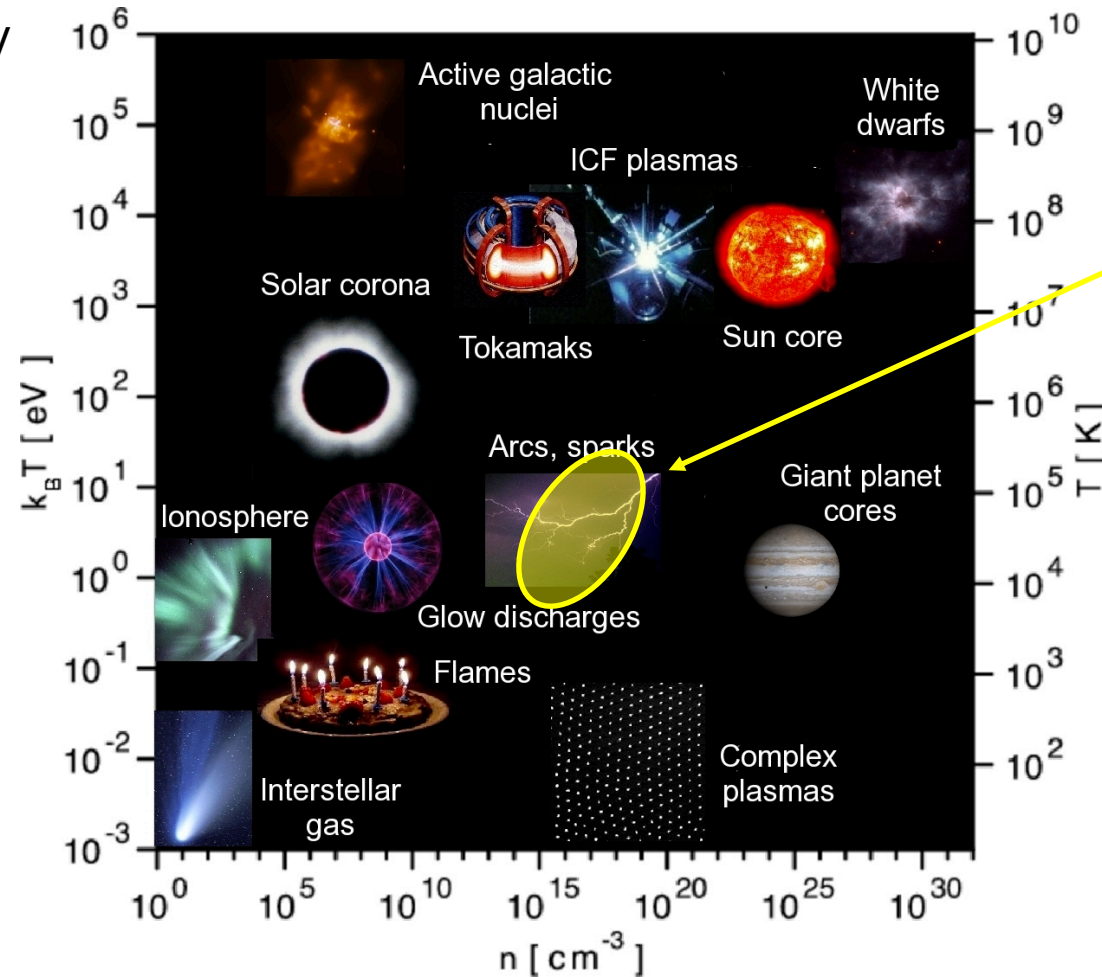
# Plasma States

In Nature and in Laboratory



# Plasma for Accelerators

In Nature and in Laboratory



Plasma-based accelerators

# Laser-driven Plasma Wakefield Acceleration (LWFA)

Let us consider a charge  $q$  in an oscillating electric field with a non-uniform envelope

$$\vec{E}(\vec{r}, t) = \vec{E}_s(\vec{r}, t) \cos(\omega t) \quad \text{Laser Field (LWFA)}$$

## Hypotheses

1. Slowly varying envelope approximation (SVEA):  $\vec{E}_s(\vec{r}, t) \approx \vec{E}_s(\vec{r})$

2. **Non relativistic** equation of motion  $m \frac{d\vec{v}}{dt} = q \left[ \vec{E}(\vec{r}, t) + \vec{v} \times \vec{B}(\vec{r}, t) \right]$

$$\vec{v} \times \vec{B}(\vec{r}, t) \ll \vec{E}(\vec{r}, t) \quad \text{but not negligible (II order theory)}$$

3. Position of  $q$  = “**slow**” drift + “**fast**” oscillation

$$\vec{r}(t) = \vec{r}_0(t) + \delta\vec{r}_1(t)$$

$$\delta\vec{r}_1(t) \ll \vec{r}_0(t) \quad |\vec{v}_0| \ll |\vec{v}_1| \quad \left| \frac{d\vec{v}_0}{dt} \right| \ll \left| \frac{d\vec{v}_1}{dt} \right|$$





Let's first neglect the **B** field and Taylor expand the **E** field around:  $\vec{r}_0(t)$

$$m \frac{d\vec{v}}{dt} = m \frac{d\vec{v}_0}{dt} + m \frac{d\vec{v}_1}{dt} = q \left[ \underbrace{\vec{E}_s(\vec{r}_0) + (\delta\vec{r}_1 \cdot \nabla) \vec{E}_s(\vec{r}_0)}_{\approx \vec{E}_s(\vec{r}_0)} \right] \cos(\omega t)$$

Hyp. III

$$m \frac{d\vec{v}_1}{dt} \approx q \vec{E}_s(\vec{r}_0) \cos(\omega t)$$

$$\vec{v}_1 = \frac{q}{m\omega} \vec{E}_s(\vec{r}_0) \sin(\omega t)$$

$$\delta\vec{r}_1 = -\frac{q}{m\omega^2} \vec{E}_s(\vec{r}_0) \cos(\omega t)$$





Moreover from III Maxwell equation:

$$\nabla \times \vec{E} = \left[ \nabla \times \vec{E}_s(\vec{r}_0) \right] \cos(\omega t) = -\frac{\partial \vec{B}}{\partial t} \quad \vec{B}(\vec{r}_0, t) = -\frac{1}{\omega} \left[ \nabla \times \vec{E}_s(\vec{r}_0) \right] \sin(\omega t)$$

Then, the particle motion equation  $m \frac{d\vec{v}}{dt} = q \left[ \vec{E}(\vec{r}, t) + \vec{v} \times \vec{B}(\vec{r}, t) \right]$

$$m \frac{d\vec{v}}{dt} = m \frac{d\vec{v}_0}{dt} + m \frac{d\vec{v}_1}{dt} = q \vec{E}_s(\vec{r}_0) \cos(\omega t) + \underbrace{\left[ \frac{-q^2}{m\omega^2} \left( \vec{E}_s(\vec{r}_0) \cdot \nabla \right) \vec{E}_s(\vec{r}_0) \cos(\omega t)^2 \right]}_{q(\delta\vec{r}_1 \cdot \nabla) \vec{E}_s(\vec{r}_0) \cos(\omega t)} - \underbrace{\left[ \frac{-q^2}{m\omega^2} \vec{E}_s(\vec{r}_0) \times \left( \nabla \times \vec{E}_s(\vec{r}_0) \right) \sin(\omega t)^2 \right]}_{q\vec{v}_1 \times \vec{B}(\vec{r}, t)}$$



Then, the particle motion equation  $m \frac{d\vec{v}}{dt} = q \left[ \vec{E}(\vec{r}, t) + \vec{v} \times \vec{B}(\vec{r}, t) \right]$

$$m \frac{d\vec{v}_0}{dt} = \frac{-q^2}{m\omega^2} \left[ \left( \vec{E}_s(\vec{r}_0) \cdot \nabla \right) \vec{E}_s(\vec{r}_0) \cos^2(\omega t) + \vec{E}_s(\vec{r}_0) \times \left( \nabla \times \vec{E}_s(\vec{r}_0) \right) \sin^2(\omega t) \right]$$

$$\left\langle m \frac{d\vec{v}_0}{dt} \right\rangle_T = \frac{-q^2}{2m\omega^2} \underbrace{\left[ \left( \vec{E}_s(\vec{r}_0) \cdot \nabla \right) \vec{E}_s(\vec{r}_0) + \vec{E}_s(\vec{r}_0) \times \left( \nabla \times \vec{E}_s(\vec{r}_0) \right) \right]}_{\frac{1}{2} \nabla [E_s(\vec{r}_0)^2]}$$



# Ponderomotive Force

$$\left\langle m \frac{d\vec{v}}{dt} \right\rangle_T = \left\langle m \frac{d\vec{v}_0}{dt} \right\rangle_T = \frac{-q^2}{4m\omega^2} \nabla \left[ \vec{E}_s(\vec{r}_0)^2 \right] \quad \text{Ponderomotive force}$$

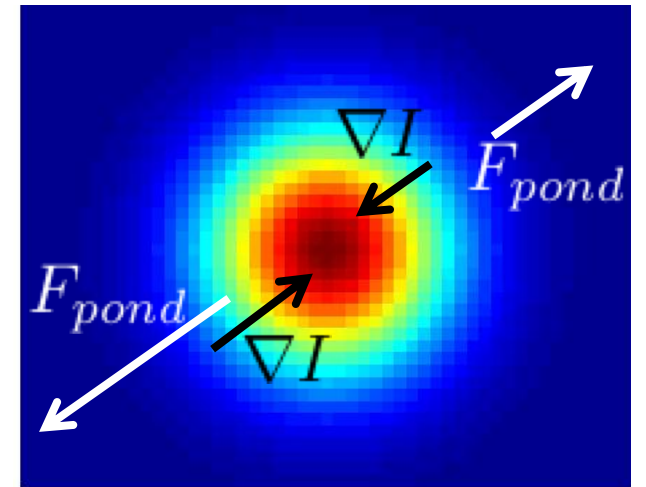
**Ponderomotive force per unit volume**

$$n \frac{-q^2}{4m\omega^2 \epsilon_0} \nabla \left[ \epsilon_0 E_s(\vec{r}_0)^2 \right] = -\frac{\omega_p^2}{\omega^2} \nabla \left[ \frac{\langle \epsilon_0 E^2 \rangle}{2} \right]$$

$$F_{pond} \propto -q^2 \frac{\nabla(\text{wave intensity})}{m} = -q^2 \frac{\nabla I}{m}$$

**Any** charge escapes from the region of greater radiation intensity, like under a pressure ...

Electrons undergoes to a greater force than ions (force depends on the mass, ... **pondus**)



# Limits to Acceleration Length

- Laser pulse diffraction
  - Limits laser-plasma interaction length to  $\sim$  Rayleigh range
    - **SOLUTION**: transverse plasma density tailoring => guiding capillary
- Electron dephasing
  - Slippage between e-beam and plasma wave

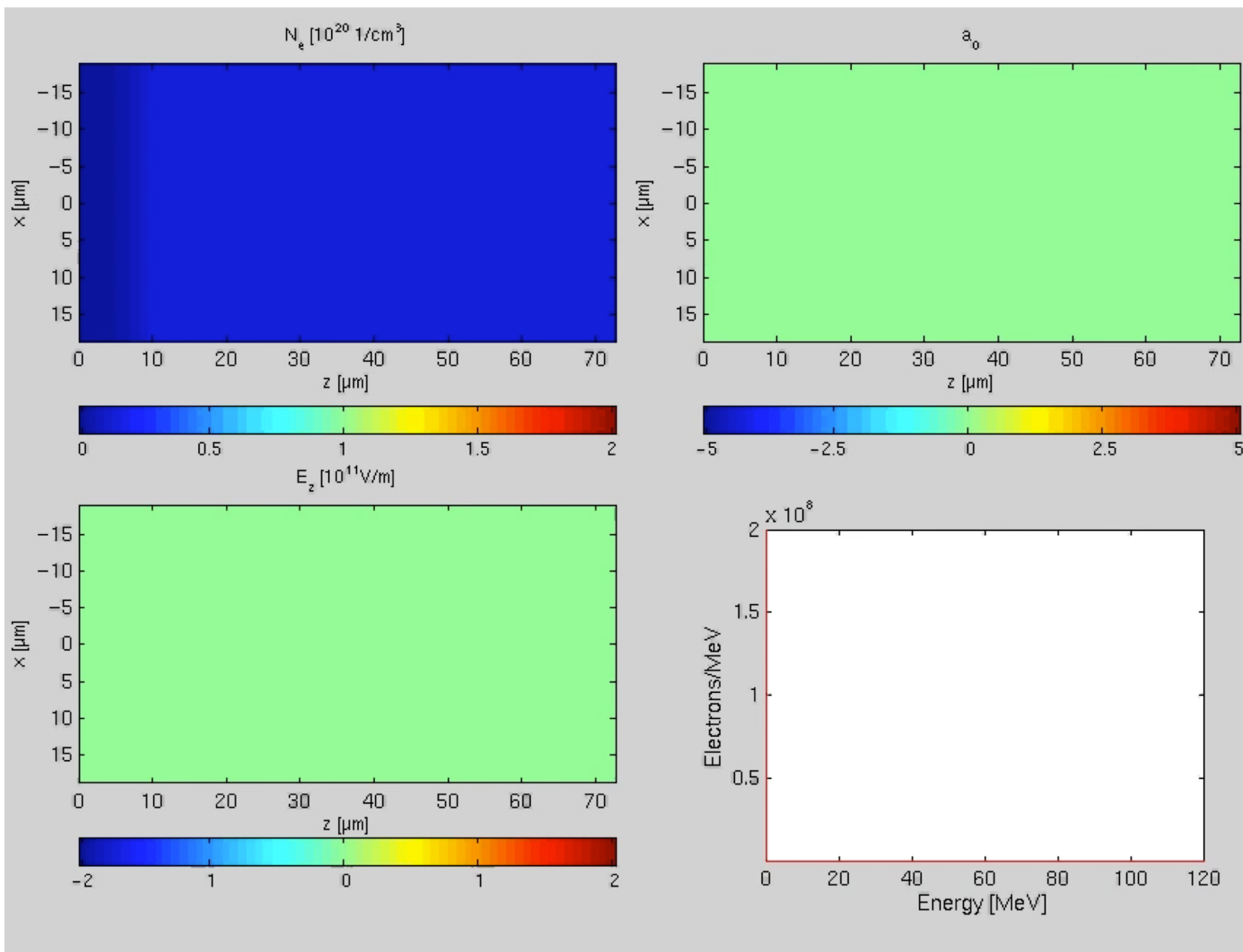
$$L_{\text{dephase}} = \lambda_p/2(1 - \beta_p) \approx \lambda_p^3/\lambda^2$$

- **SOLUTION**: longitudinal plasma density tailoring => tapered density or capillary

- Laser pulse energy depletion
  - Rate of laser energy deposition into plasma wave excitation
    - **SOLUTION**: Staging

$$L_{\text{deplete}} \propto n^{-3/2} \lambda^{-2}$$





# The Dawn of Compact Accelerators

## Monoenergetic beams of relativistic electrons from intense laser–plasma interactions

S. P. D. Mangles<sup>1</sup>, C. D. Murphy<sup>1,2</sup>, Z. Najmudin<sup>1</sup>, A. G. R. Thomas<sup>1</sup>, J. L. Collier<sup>2</sup>, A. E. Dangor<sup>1</sup>, E. J. Divall<sup>2</sup>, P. S. Foster<sup>2</sup>, J. G. Gallacher<sup>3</sup>, C. J. Hooker<sup>2</sup>, D. A. Jaroszynski<sup>3</sup>, A. J. Langley<sup>2</sup>, W. B. Mori<sup>4</sup>, P. A. Norreys<sup>2</sup>, F. S. Tsung<sup>4</sup>, R. Viskup<sup>3</sup>, B. R. Walton<sup>1</sup> & K. Krushelnick<sup>1</sup>

## High-quality electron beams from a laser wakefield accelerator using plasma-channel guiding

C. G. R. Geddes<sup>1,2</sup>, Cs. Toth<sup>1</sup>, J. van Tilborg<sup>1,3</sup>, E. Esarey<sup>1</sup>, C. B. Schroeder<sup>1</sup>, D. Bruhwiler<sup>4</sup>, C. Nieter<sup>4</sup>, J. Cary<sup>4,5</sup> & W. P. Leemans<sup>1</sup>

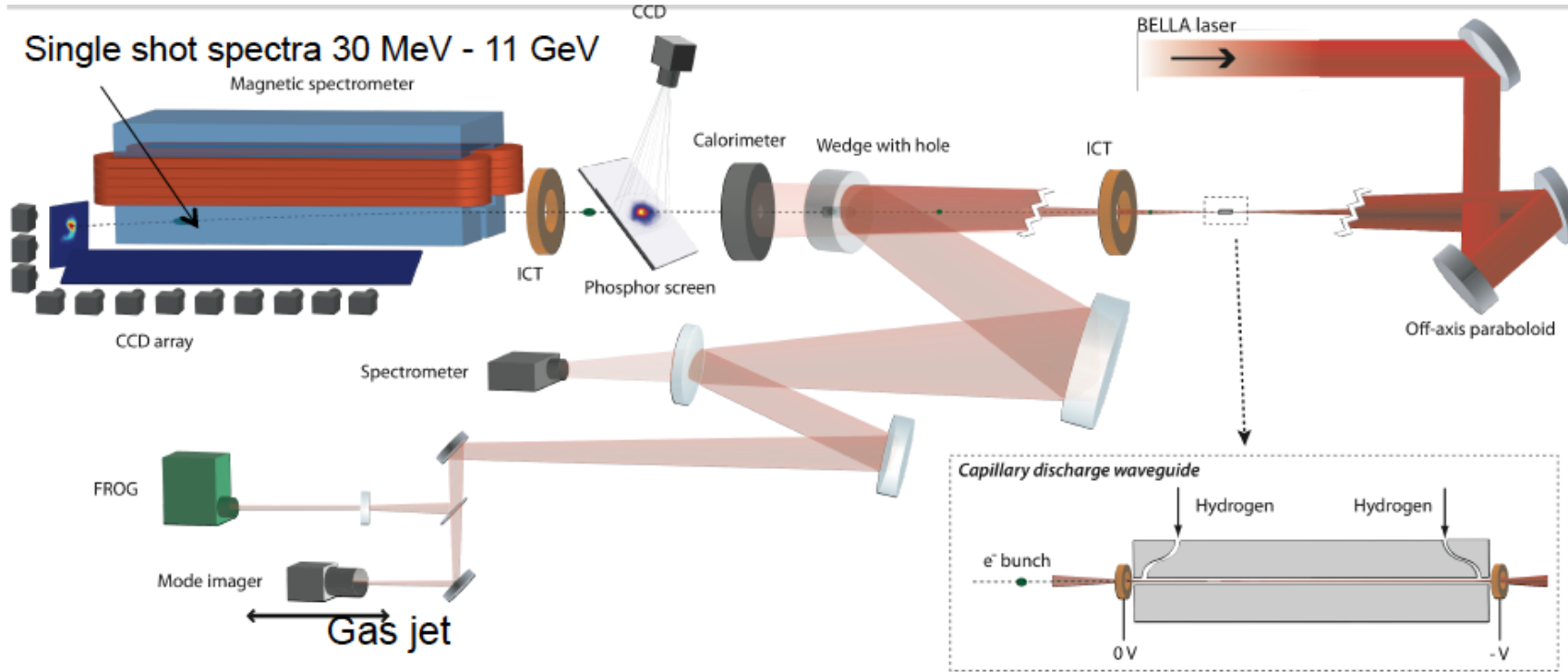
## A laser–plasma accelerator producing monoenergetic electron beams

J. Faure<sup>1</sup>, Y. Glinec<sup>1</sup>, A. Pukhov<sup>2</sup>, S. Kiselev<sup>2</sup>, S. Gordienko<sup>2</sup>, E. Lefebvre<sup>3</sup>, J.-P. Rousseau<sup>1</sup>, F. Burgy<sup>1</sup> & V. Malka<sup>1</sup>

September 2004

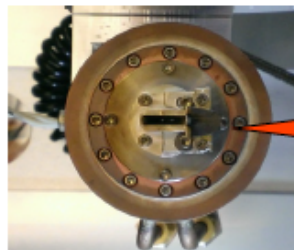


# Experiments at LBNL

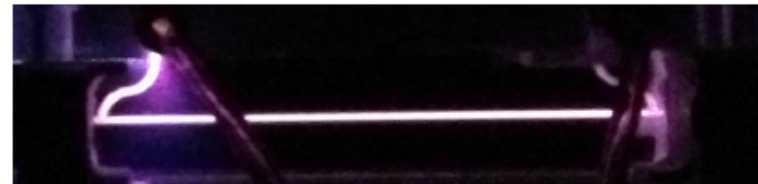


The BELLA laser was focused by the 14 m focal length off-axis parabola onto a gas jet or capillary discharge targets

Capillary discharge

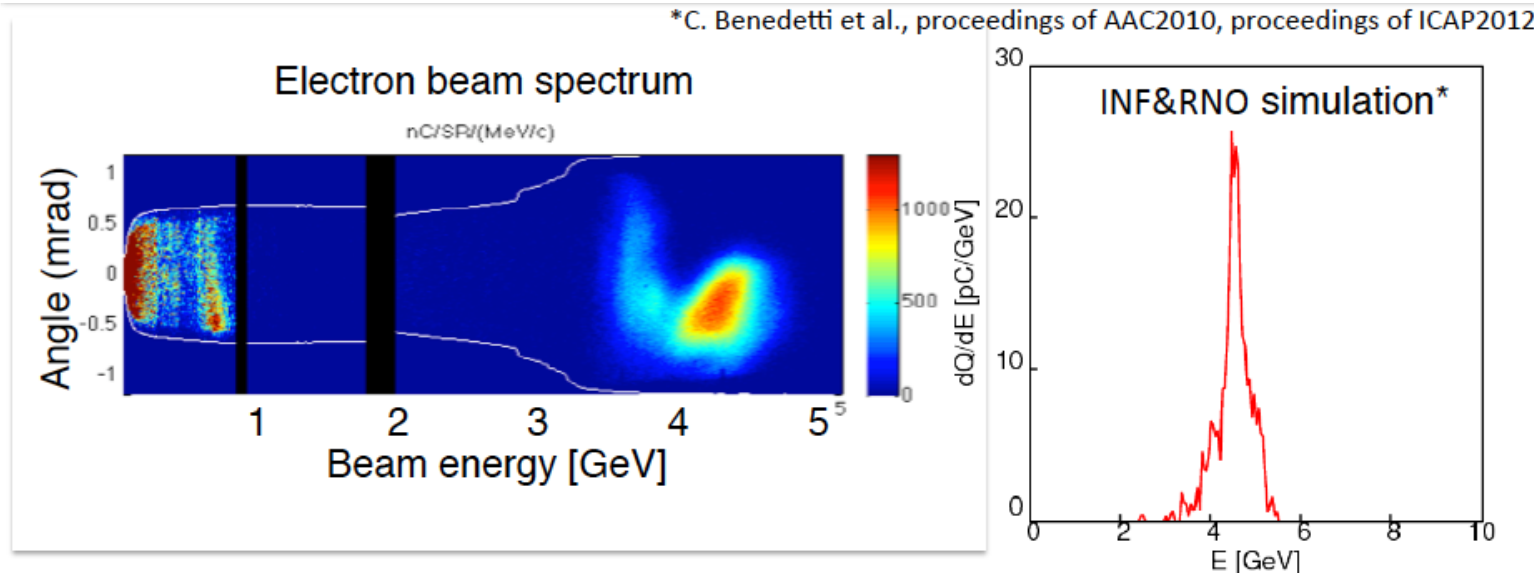


Big Laser In



# Experiments at LBNL

\*C. Benedetti et al., proceedings of AAC2010, proceedings of ICAP2012



4.25 GeV beams have been obtained from 9 cm plasma channel powered by 310 TW laser pulses (15 J)

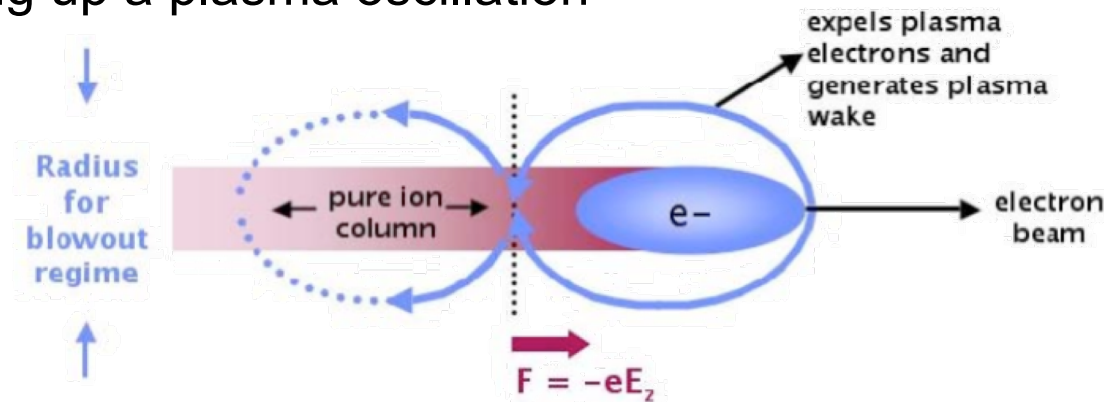
- **Laser** ( $E=15$  J):
  - Measured longitudinal profile ( $T_0=40$  fs)
  - Measured far field mode ( $w_0=53$   $\mu\text{m}$ )
- **Plasma**: parabolic plasma channel (length 9 cm,  $n_0 \sim 6-7 \times 10^{17}$   $\text{cm}^{-3}$ )

	Exp.	Sim.
Energy	4.25 GeV	4.5 GeV
$\Delta E/E$	5%	3.2%
Charge	$\sim 20$ pC	23 pC
Divergence	0.3 mrad	0.6 mrad

W.P. Leemans et al., PRL 2014

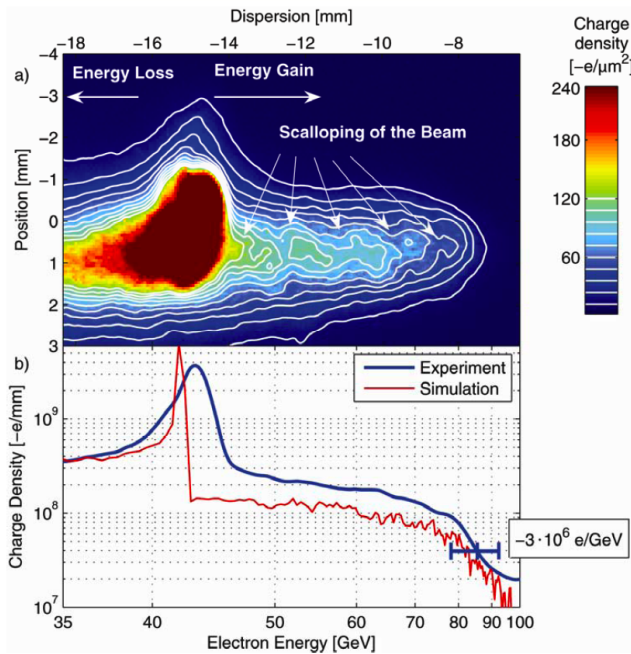
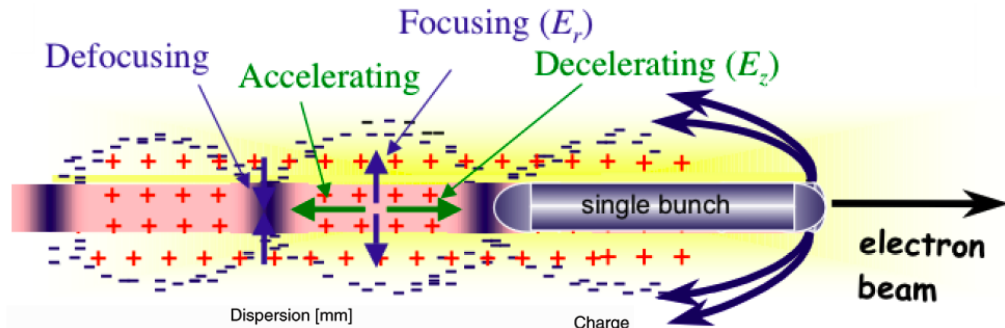
# Particle-driven Plasma Wakefield Acceleration (PWFA)

- The high-gradient wakefield is driven by an intense, high-energy charged particle beam as it passes through the plasma.
- The **space-charge** of the electron bunch **blows out plasma electrons which rush back in and overshoot** setting up a plasma oscillation



- First demonstration of the excitation of a wakefield by a relativistic beam in the linear regime, i.e. beam density typically less than the plasma density => J. Rosenzweig et al., Phys. Rev. Lett. 61, 98 (1988)
- Peak acceleration gradient  $\sim 1.6$  MeV/m, but the experiment clearly showed the wakefield persisting for several plasma wavelengths.

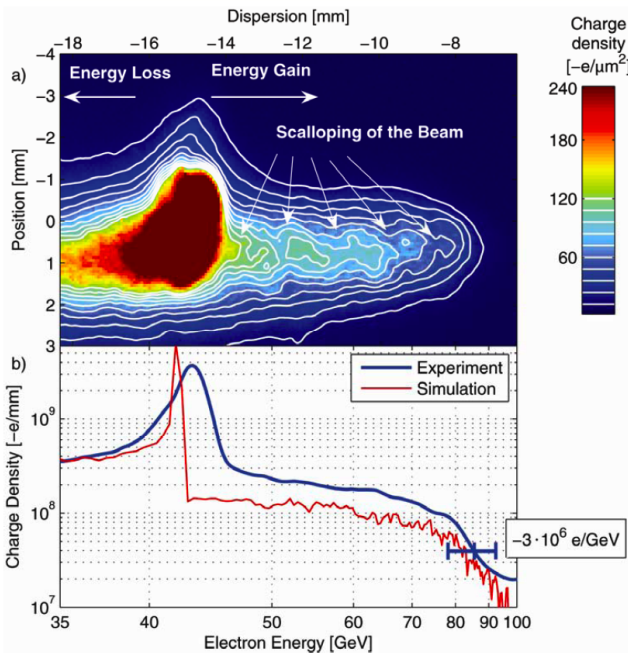
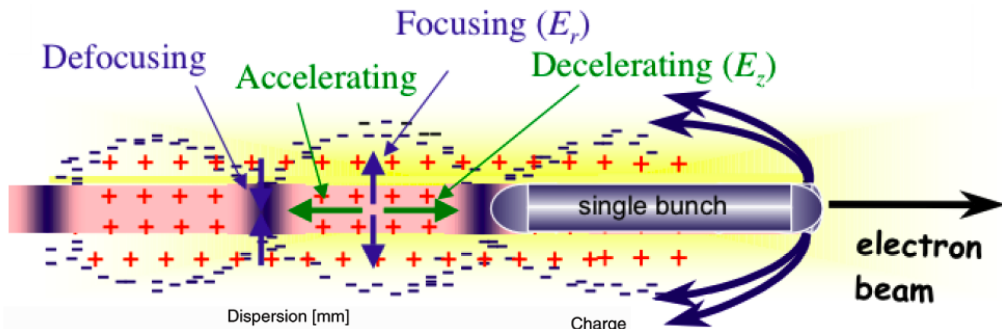
# Particle-driven Plasma Wakefield Acceleration (PWFA)



*Energy doubling in a meter scale*

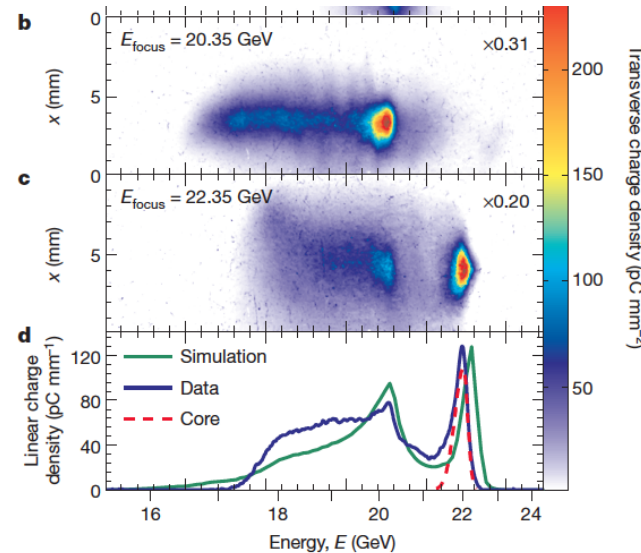
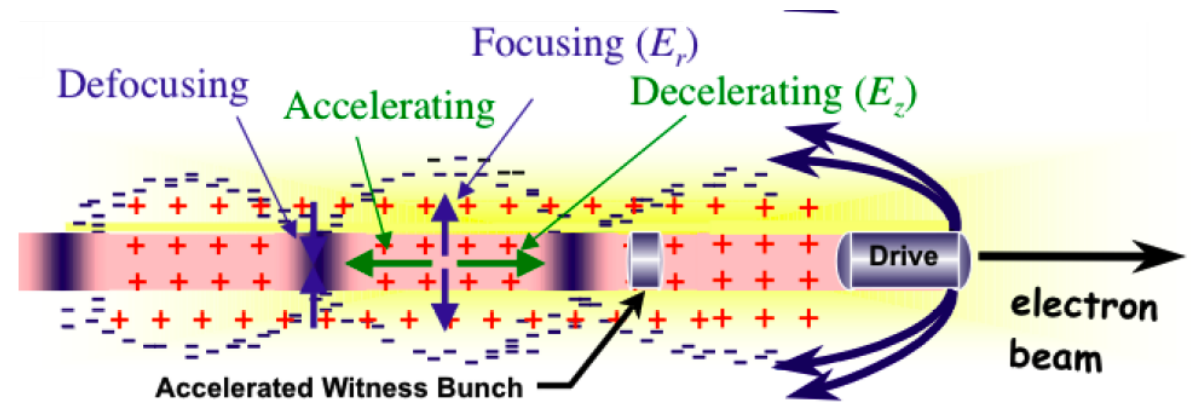
Blumenfeld, I. et al. **Nature** 445, 741–744 (2007).

# Particle-driven Plasma Wakefield Acceleration (PWFA)



*Energy doubling in a meter scale*

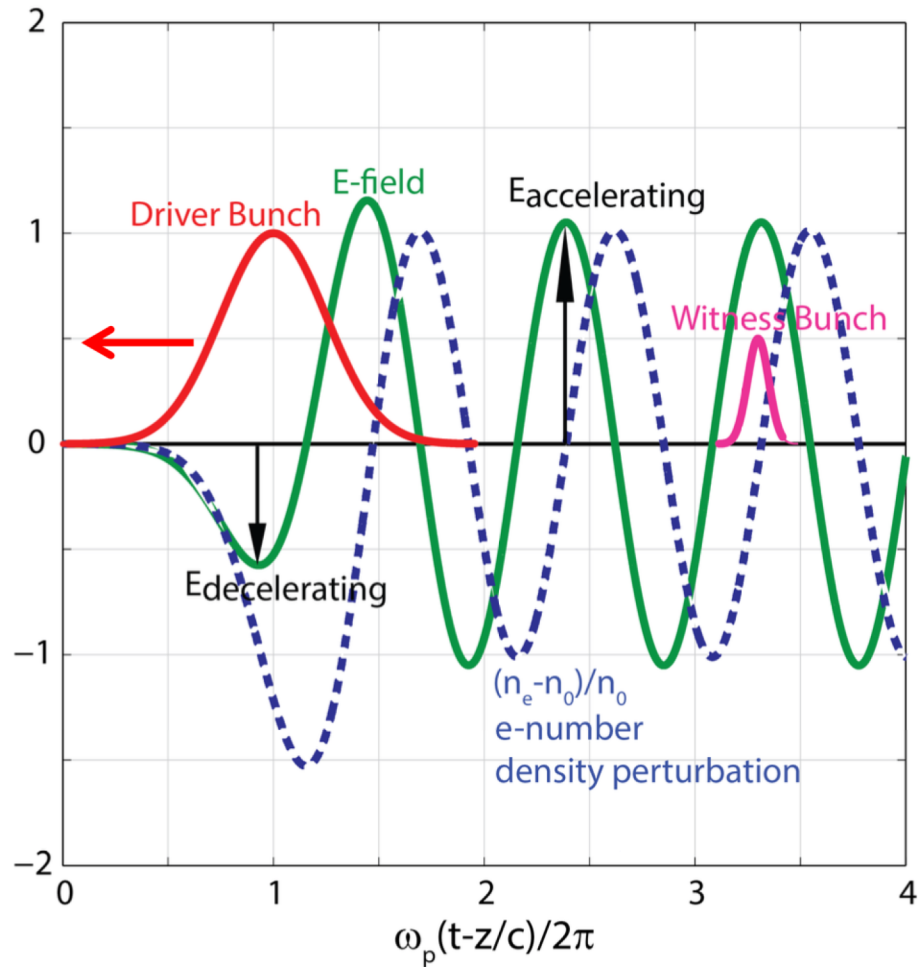
Blumenfeld, I. et al. **Nature** 445, 741–744 (2007).



*High-efficiency acceleration*

Litos, M. et al. **Nature** 515, 92–95 (2014).

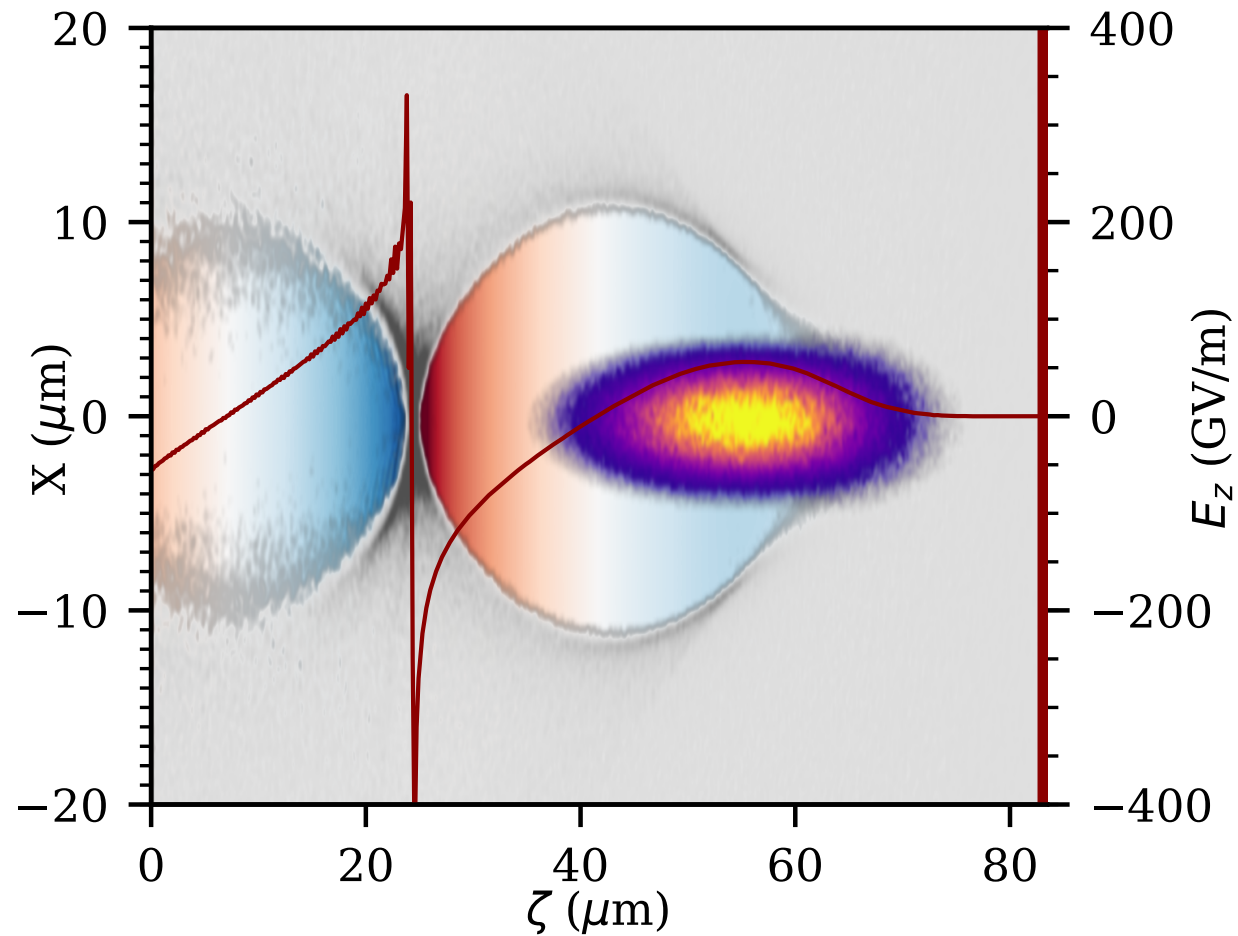
# From Linear Regime ...



Note:  
Focusing force is sinusoidal



# ... to Quasi Linear and Non Linear Regime



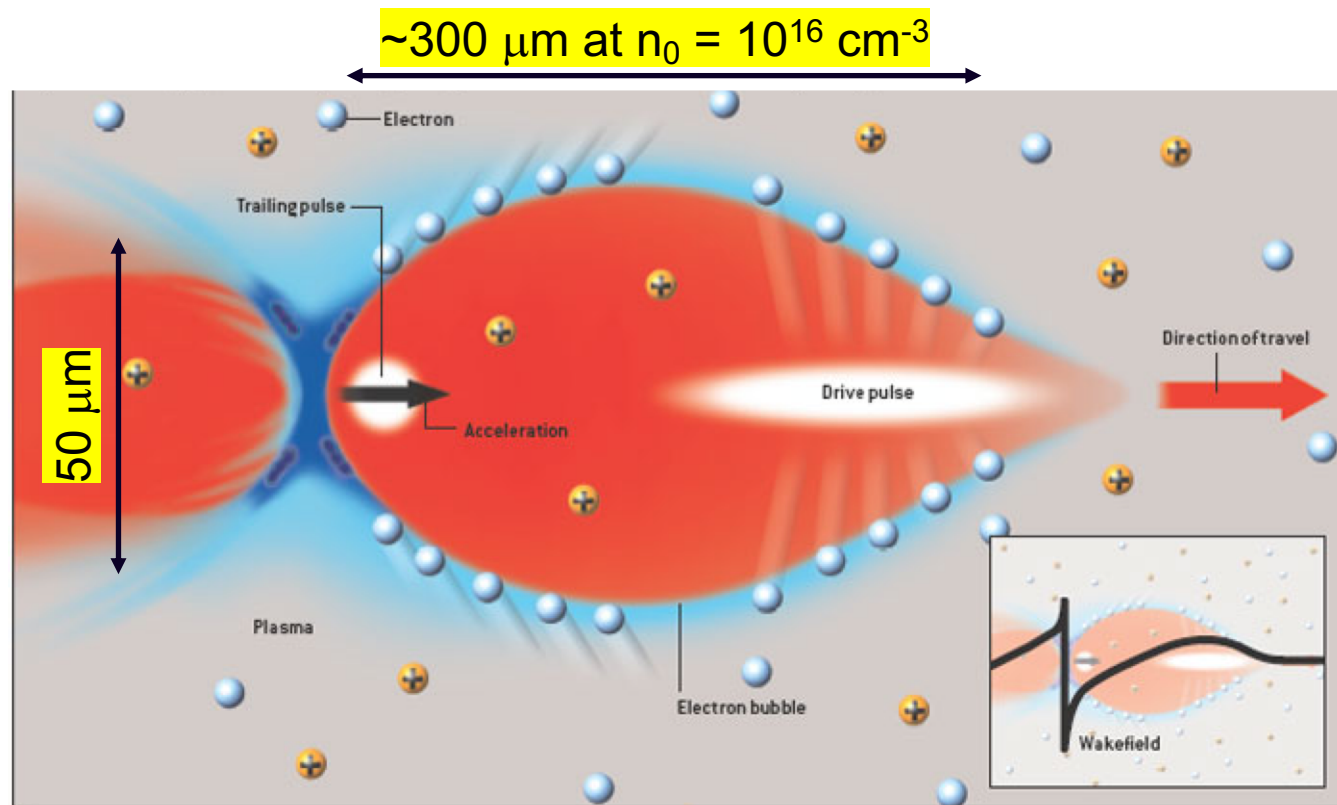
# Breakdown Limit

- The **ionized plasma** in a gas-filled discharge capillary, a gas cell or a gas jet **can sustain** accelerating gradient 2-3 orders of magnitude larger than in conventional RF-based accelerators
- Maximum accelerating field a plasma can sustain: **Wave breaking field**

$$E_0 = \frac{m_e c \omega_p}{e} \approx 100 \left[ \frac{\text{GeV}}{m} \right] \cdot \sqrt{n_0 [10^{18} \text{cm}^{-3}]}$$

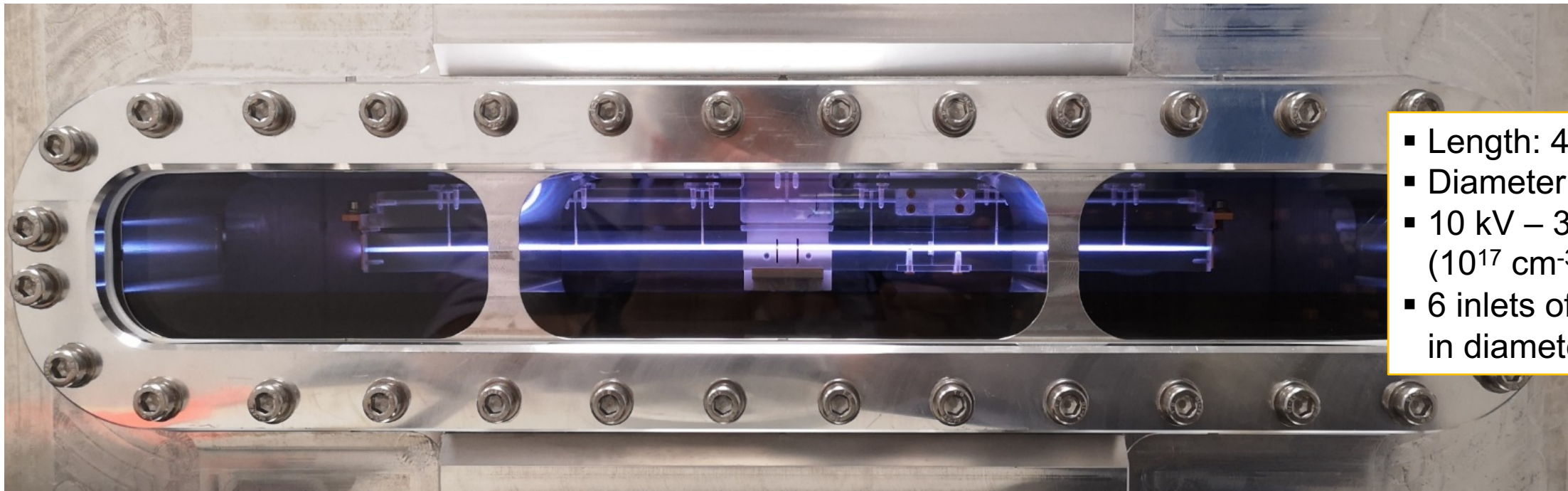
- Characteristic scale length** of the accelerating field, i.e. the plasma wake, is the plasma wavelength,

$$\lambda_p (\mu\text{m}) \approx \frac{3.3 \cdot 10^{10}}{\sqrt{n_0 (\text{cm}^{-3})}}$$



# Gas-filled Discharge Capillary


First EuPRAXIA plasma source enabling **1.1 GeV** (1.5 GV/m) in **40 cm** length capillary ( $n = 10^{16} \text{ cm}^{-3}$ )

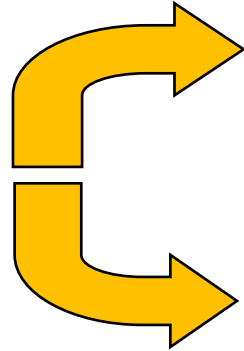


- Length: 40 cm
- Diameter: 2 mm
- 10 kV – 380 A ( $10^{17} \text{ cm}^{-3}$ )
- 6 inlets of 1 mm in diameter

*Courtesy of A. Biagioni (INFN-LNF)*


# High Quality Beams

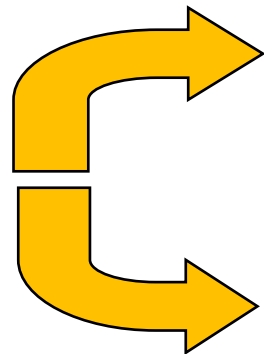

$$L = \frac{N_{e+} N_{e-} f_r}{4\pi\sigma_x\sigma_y}$$



-N of particles per pulse =>  $10^9$   
-**High rep. rate**  $f_r$  => bunch trains

-Small spot size => **low emittance**


$$B_n \approx \frac{2I}{\varepsilon_n^2}$$



-**Short pulse** (ps to fs)

-Little spread in transverse momentum and angle => **low emittance**



# Towards the Applications

- Extraction from plasma accelerating module
  - plasma fields stronger than in conventional accelerators

$$G(MT/m) = \frac{F_r}{ecr} \approx 3n(10^{17} \text{ cm}^{-3})$$

- beams experience huge transverse size variation when propagating from the plasma outer surface to the conventional focusing optics

$$\sigma_x \sim \mu m \qquad \sigma_{x'} \sim \text{mrad}$$

- the particle transverse motion becomes extremely sensitive to energy spread
- the beam angular divergence has to be reduced and the transverse spot size increased to limit the chromatic induced emittance degradation in vacuum

$$\varepsilon_n^2 = \langle \gamma \rangle^2 (\sigma_E^2 \sigma_x^2 \sigma_{x'}^2 + \varepsilon^2) \approx \langle \gamma \rangle^2 (\sigma_E^2 \sigma_{x'}^4 s^2 + \varepsilon^2)$$

*M. Migliorati et al., PRST AB 16, 011302 (2013)*

# Active Plasma Lens Device

THE REVIEW OF SCIENTIFIC INSTRUMENTS

VOLUME 21, NUMBER 5

MAY, 1950

## A Focusing Device for the External 350-Mev Proton Beam of the 184-Inch Cyclotron at Berkeley

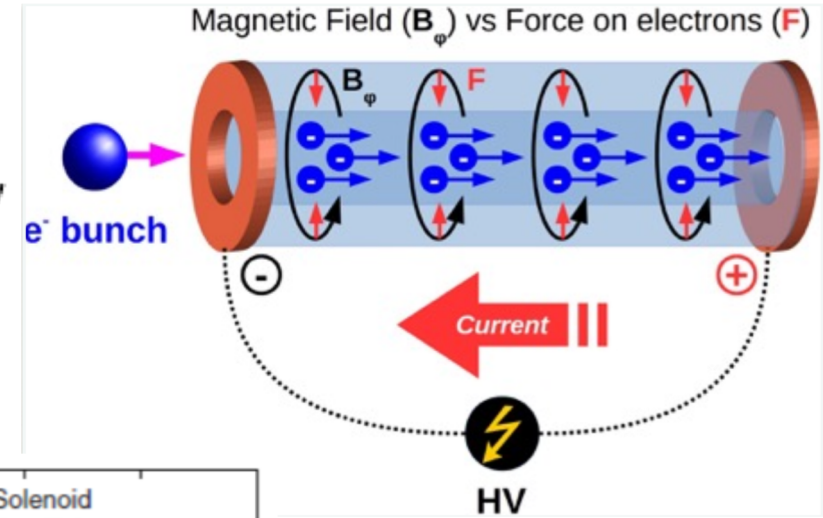
W. K. H. PANOFSKY AND W. R. BAKER

Department of Physics, Radiation Laboratory, University of California, Berkeley, California

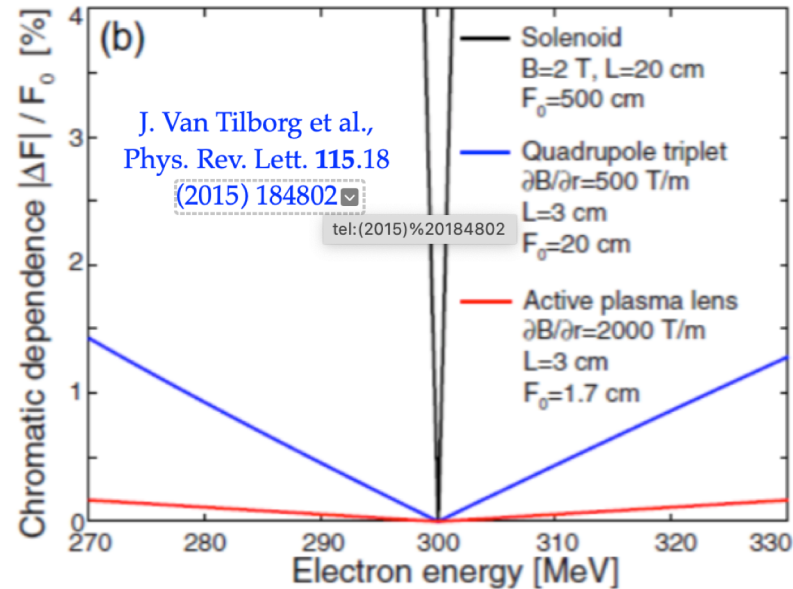
(Received January 11, 1950)

A device has been constructed to focus the external beam of the 184-in. cyclotron at Berkeley. The device consists of a cylindrical tube 4 ft. in length and 3 in. in diameter, which contains a longitudinal arc of nearly uniform current density. Such a device will focus any beam of cylindrical symmetry. Owing to the large power requirements of such a device it is applicable only to very short pulsed beams.

$$B_{\phi}(r) = \frac{\mu_0}{r} \int_0^r J(r') r' dr'$$

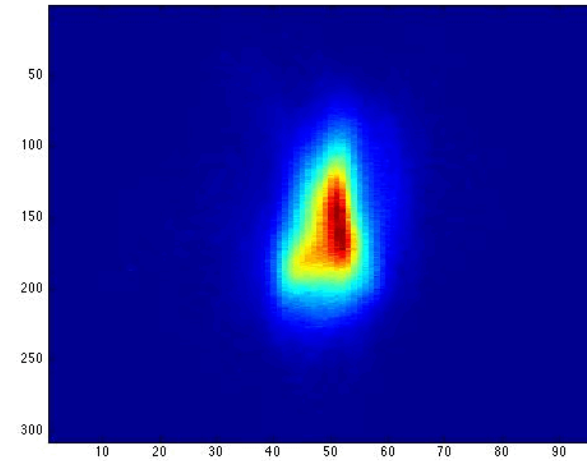
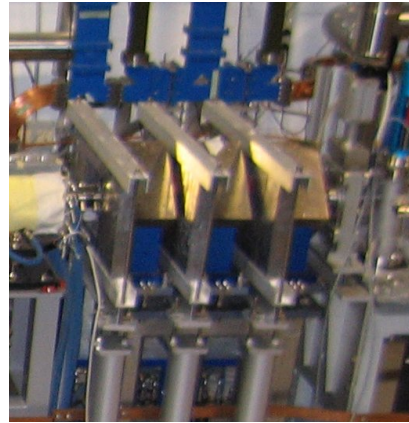


- Cylindrical symmetry
  - purely radial focusing effect
- Tunability
- Focusing strength  $\propto \gamma^{-1}$
- High focusing gradient  $\sim$  kT/m
  - short focal length
  - weak chromaticity

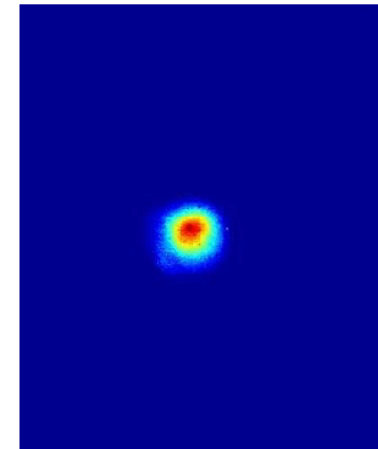
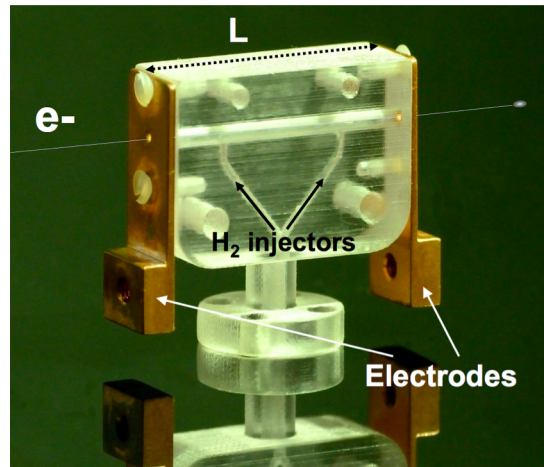


# Plasma vs Conventional Focusing

Single  
Quadrupole  
Magnet



Single  
Plasma Lens



*Experimental measurements  
at SPARC\_LAB (INFN-LNF)*

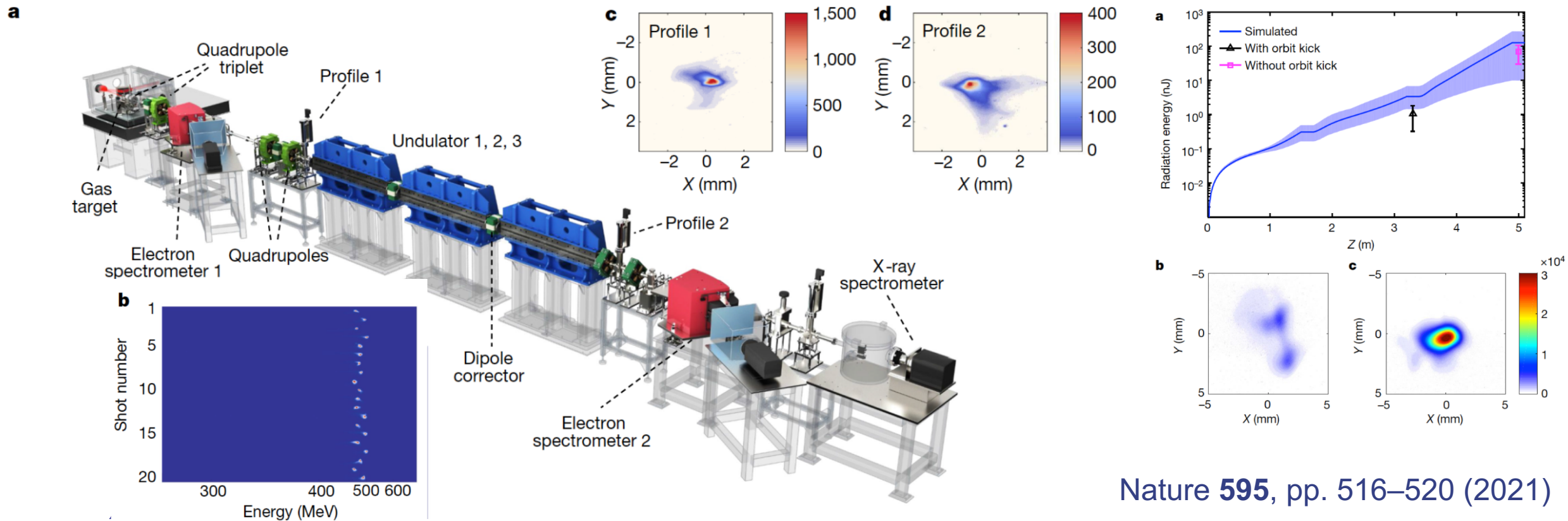
# Solving Beam Quality Issues

- Several key challenges facing plasma-based facility operation **under control**
  - **stabilization and control of the acceleration process** (R. Pompili et al., *Energy spread minimization in a beamdriven plasma wakefield accelerator*, Nat. Physics **17**, no. 4, pp. 499-503, 2021; Ferran-Pousa et al., PRL 123, 054801, 2019)
    - energy spread mitigation, normalized emittance preservation, overall stability gain
- **Improvements still needed** to guarantee continuous operation
  - sub-percent to sub-per-mille energy spread and **mm mrad to sub-mm mrad emittances**
  - increase of the **repetition rate** from a few hertz to kilohertz (R. D Arcy et al., *Recovery time of a plasma-wakefield accelerator*, Nature **603**, pp. 58–62, 2022)
  - improvement of **shot-to-shot stability**



# Preliminary Feasibility Proofs

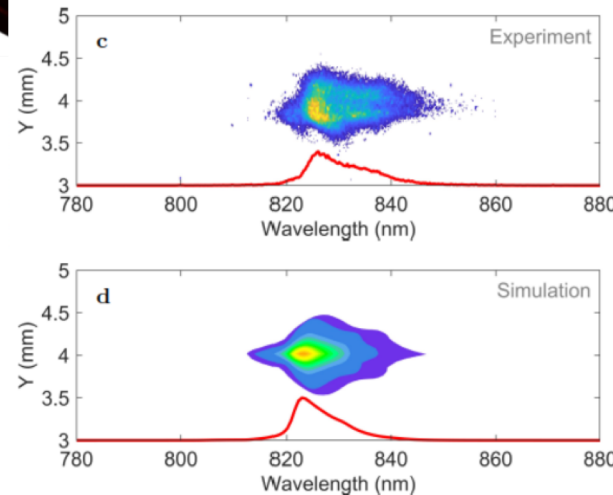
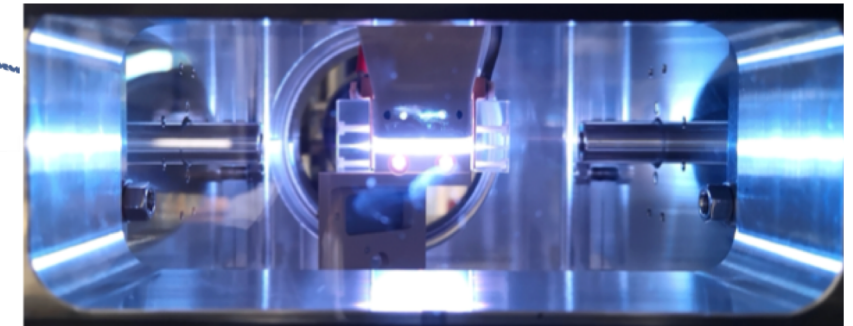
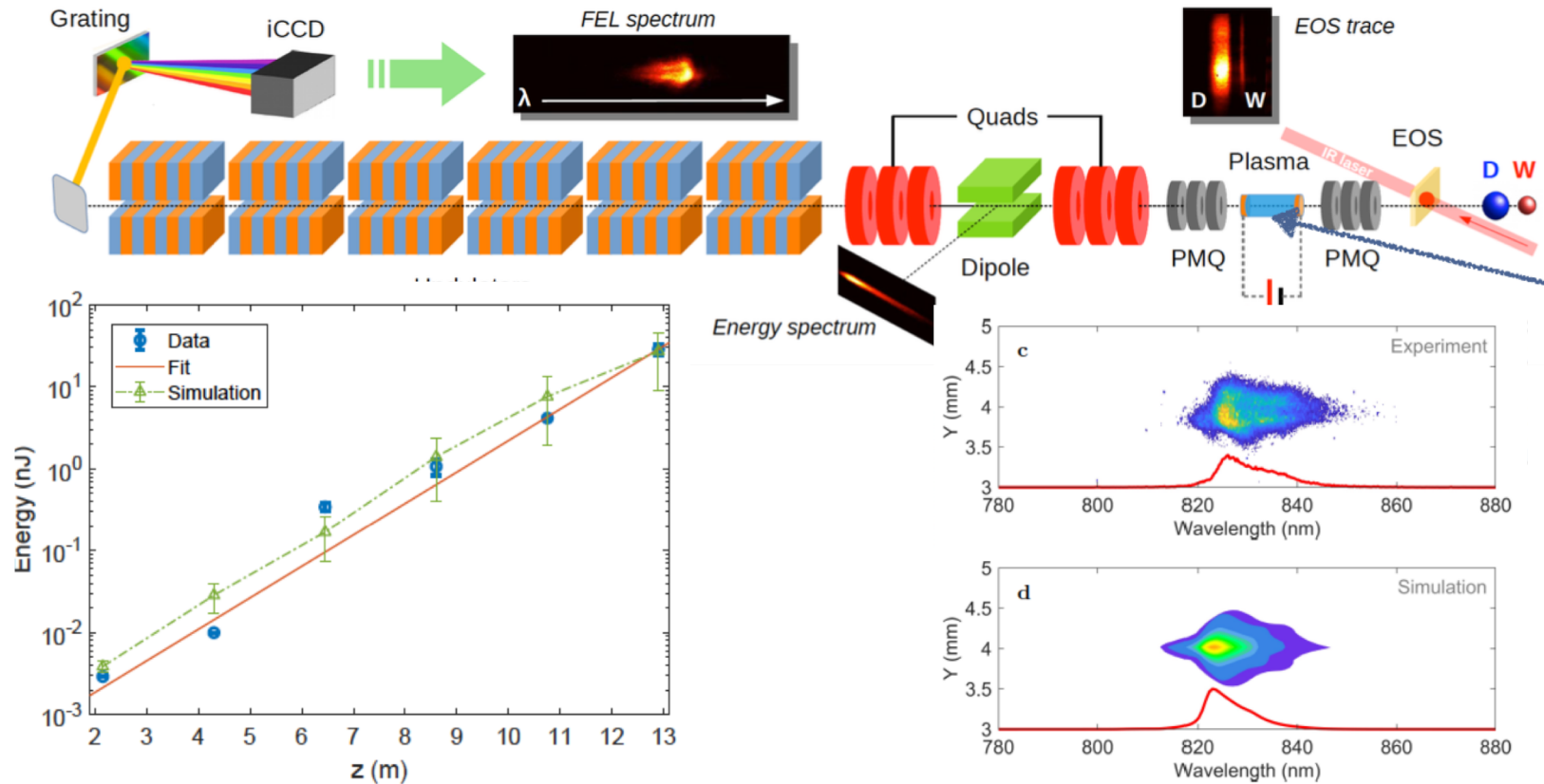
## First SASE FEL lasing from a laser-driven plasma accelerator at SIOM (Shangai)



Nature **595**, pp. 516–520 (2021)

# Preliminary Feasibility Proofs

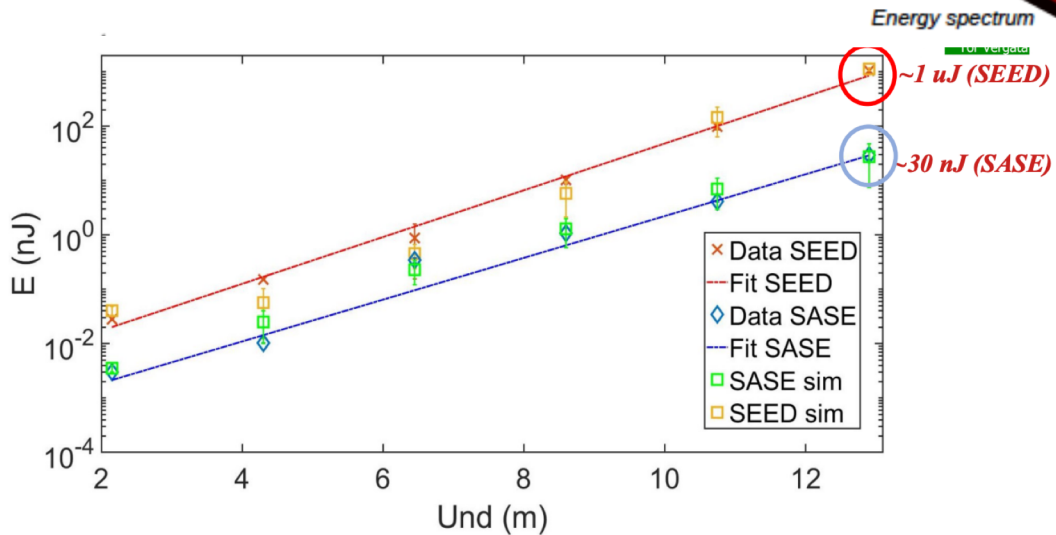
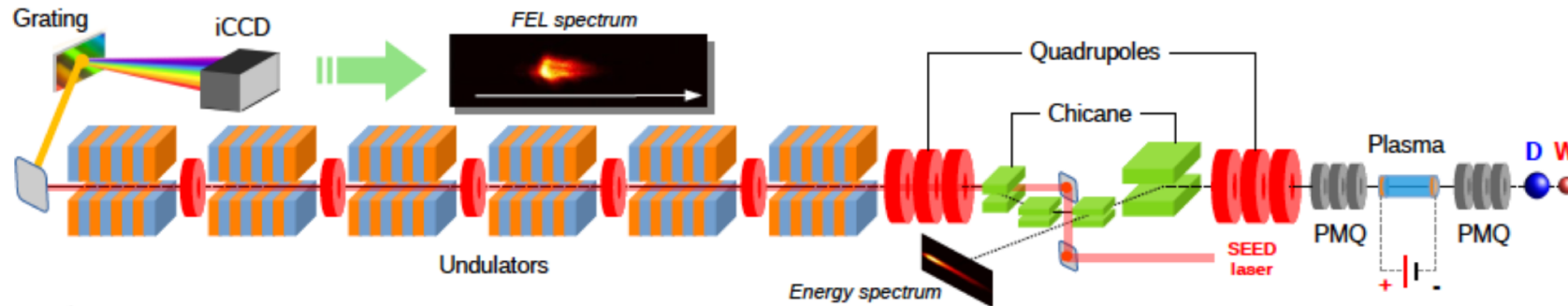
First SASE FEL lasing from a beam-driven plasma accelerator at SPARC\_LAB (INFN, Frascati)



Nature **605**, 659–662 (2022)

# Preliminary Feasibility Proofs

First Seeded FEL lasing from a beam-driven plasma accelerator at SPARC\_LAB (INFN, Frascati)



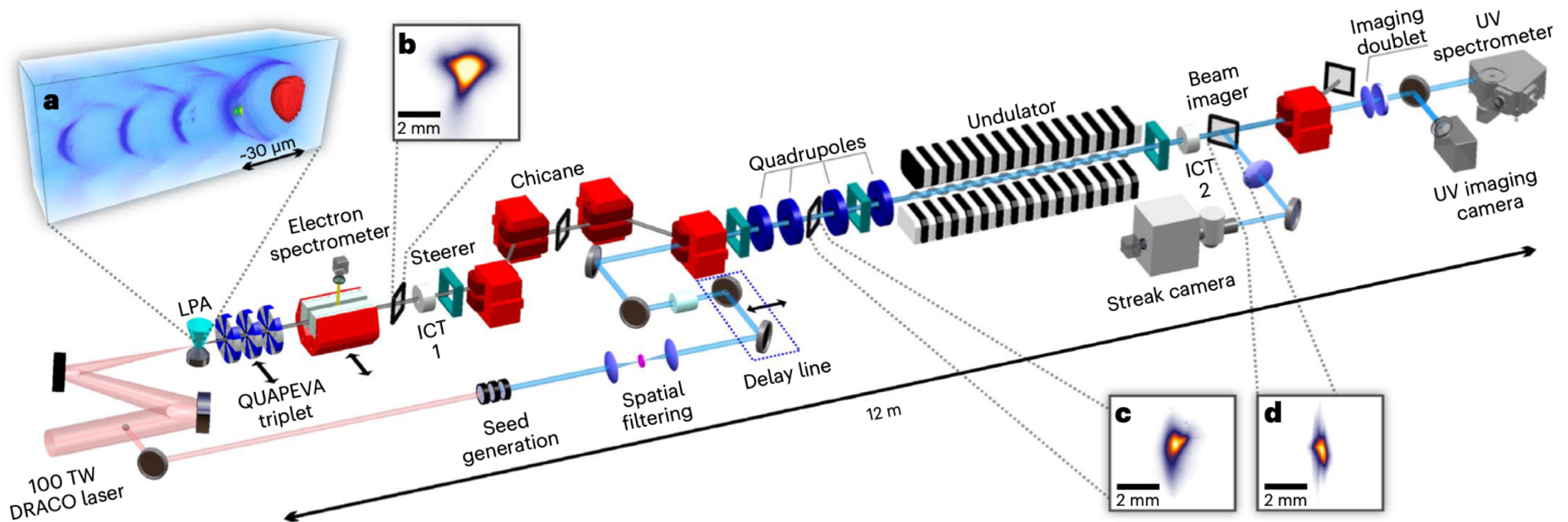
## Seeded FEL Radiation

- ❖ Part of the EOS laser used as seed
- ❖ Seed laser  $\sim 795 \text{ nm}$ , FEL peak  $827 \text{ nm}$
- ❖ Pulse energy increase from  $30 \text{ nJ}$  up to  $1 \mu\text{m}$
- ❖ Increased stability of emitted radiation

Phys. Rev. Lett. **129**, 234801 (2022)

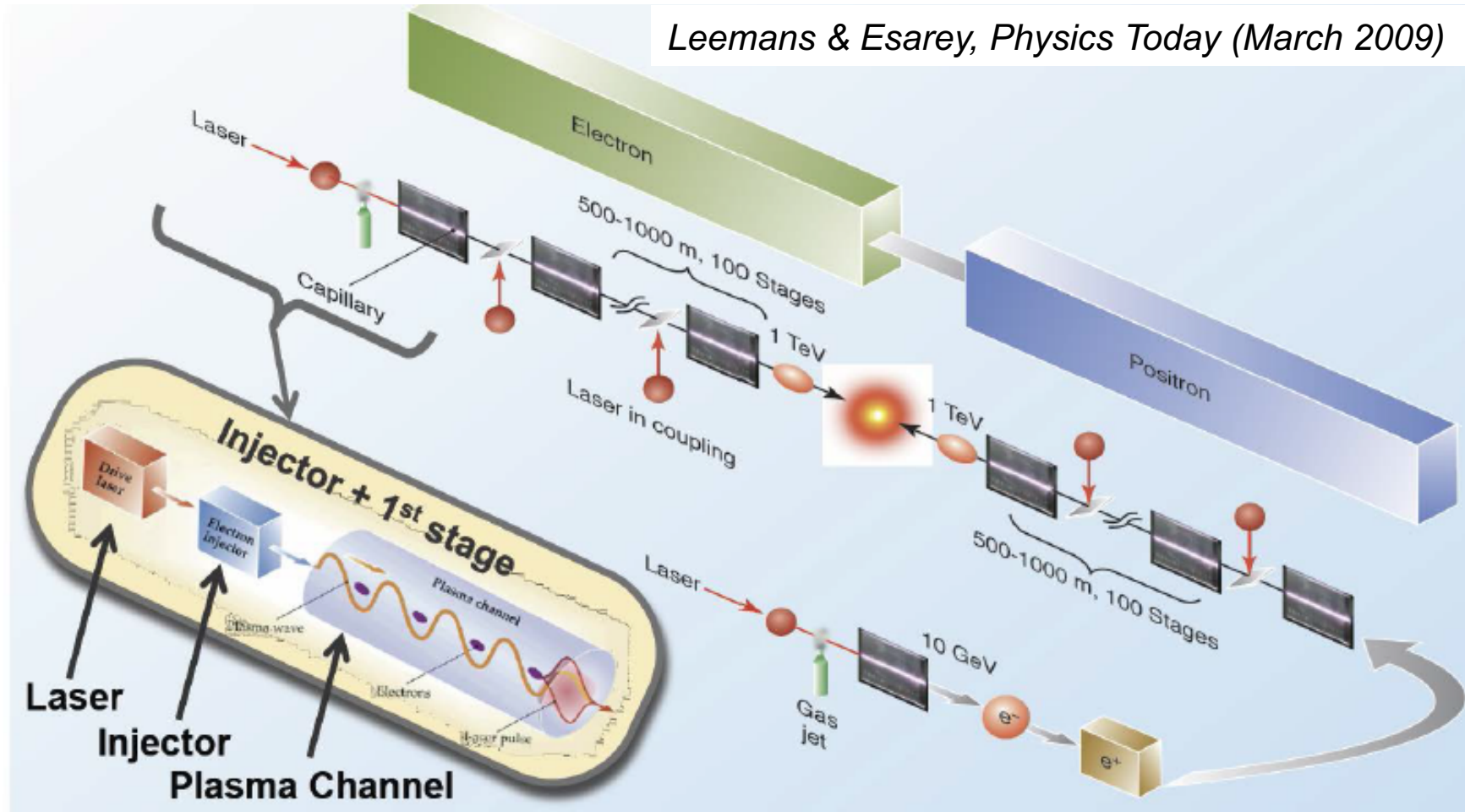
# Preliminary Feasibility Proofs

First Lasing of the COXINEL Seeded FEL driven by the HZDR Laser Plasma Accelerator (Dresden)



Nature Photonics 17, 150–156 (2023)

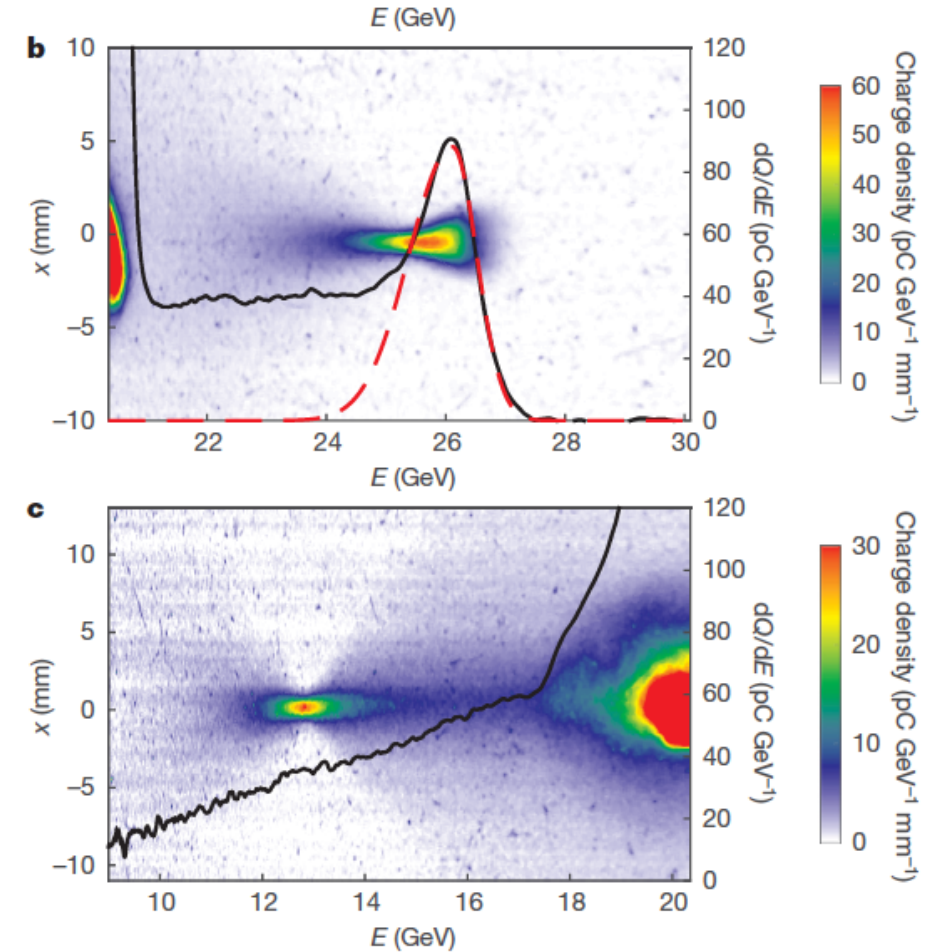
# LWFA-based Linear Collider



# Acceleration of Positrons in Plasma Wakefield

## Multi-gigaelectronvolt acceleration of positrons in a self-loaded plasma wakefield

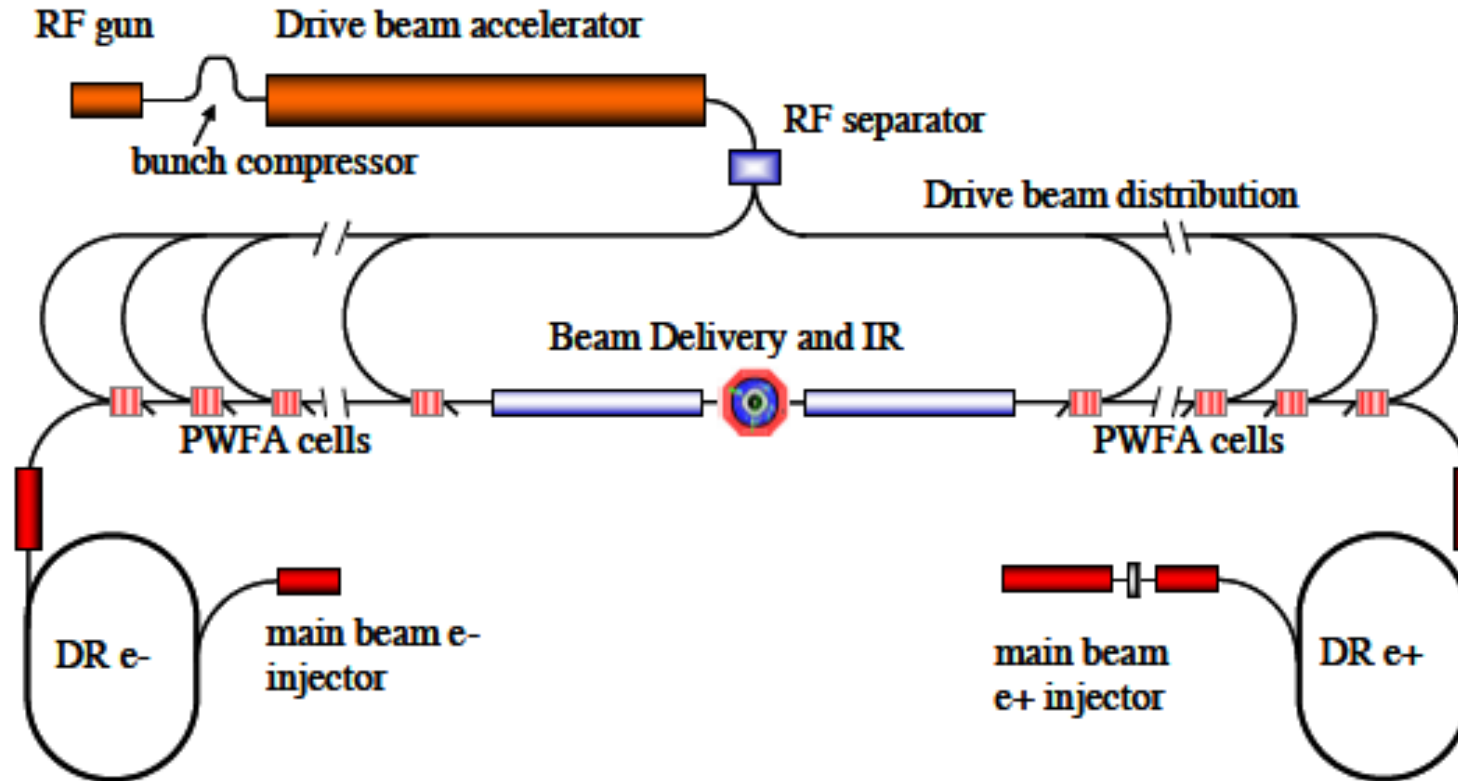
S. Corde<sup>1,2</sup>, E. Adli<sup>1,3</sup>, J. M. Allen<sup>1</sup>, W. An<sup>4,5</sup>, C. I. Clarke<sup>1</sup>, C. E. Clayton<sup>4</sup>, J. P. Delahaye<sup>1</sup>, J. Frederico<sup>1</sup>, S. Gessner<sup>1</sup>, S. Z. Green<sup>1</sup>, M. J. Hogan<sup>1</sup>, C. Joshi<sup>4</sup>, N. Lipkowitz<sup>1</sup>, M. Litos<sup>1</sup>, W. Lu<sup>6</sup>, K. A. Marsh<sup>4</sup>, W. B. Mori<sup>4,5</sup>, M. Schmeltz<sup>1</sup>, N. Vafaei-Najafabadi<sup>4</sup>, D. Walz<sup>1</sup>, V. Yakimenko<sup>1</sup> & G. Yocky<sup>1</sup>



Nature **524**, pages 442–445 (2015)



# PWFA-based Linear Collider

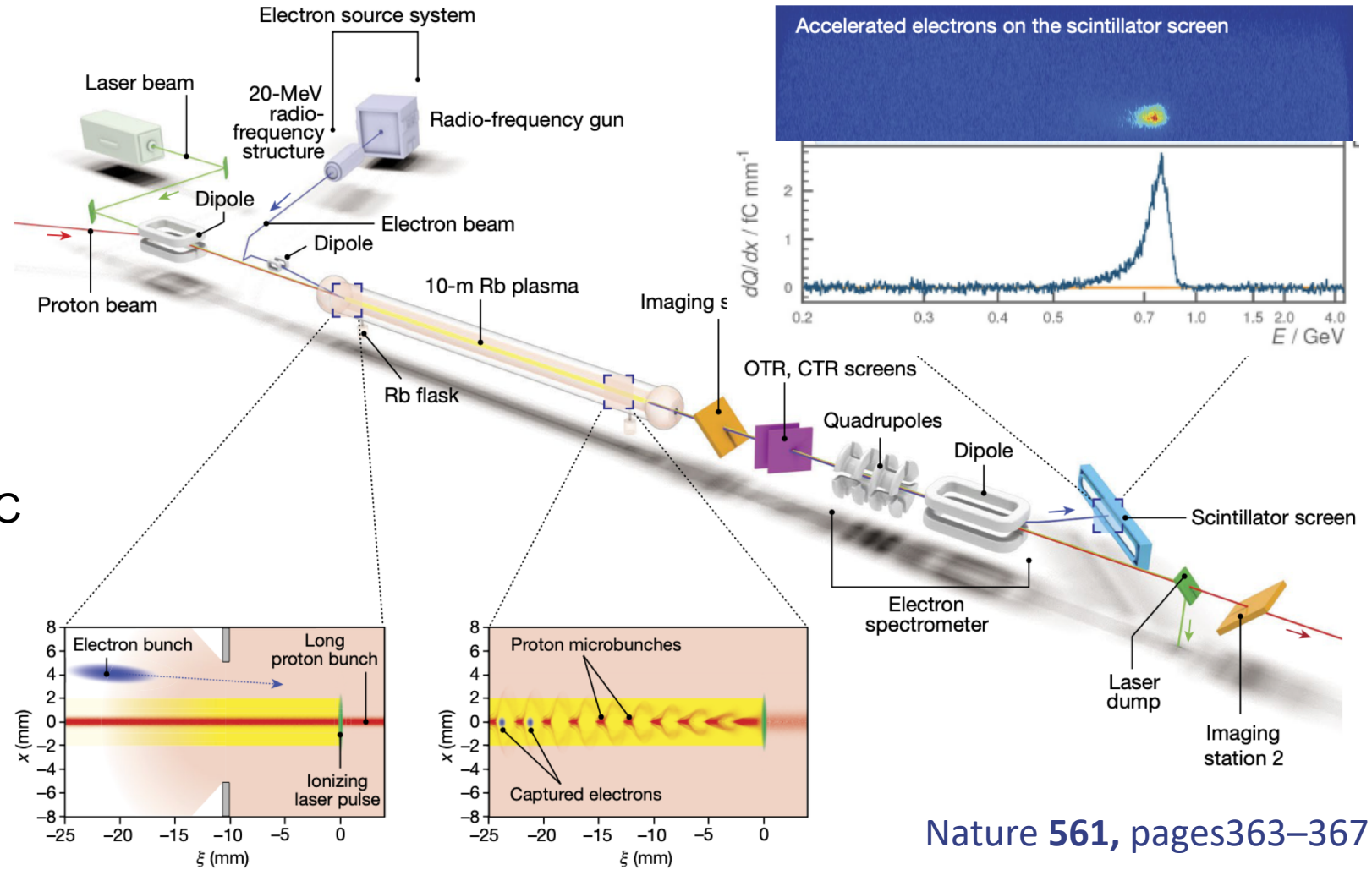


## CONCEPTUAL DESIGN OF THE DRIVE BEAM FOR A PWFA-LC\*

S. Pei<sup>#</sup>, M. J. Hogan, T. O. Raubenheimer, A. Seryi, SLAC, CA 94025, U.S.A.  
H. H. Braun, R. Corsini, J. P. Delahaye, CERN, Geneva

# Proton-driven PWFA: AWAKE

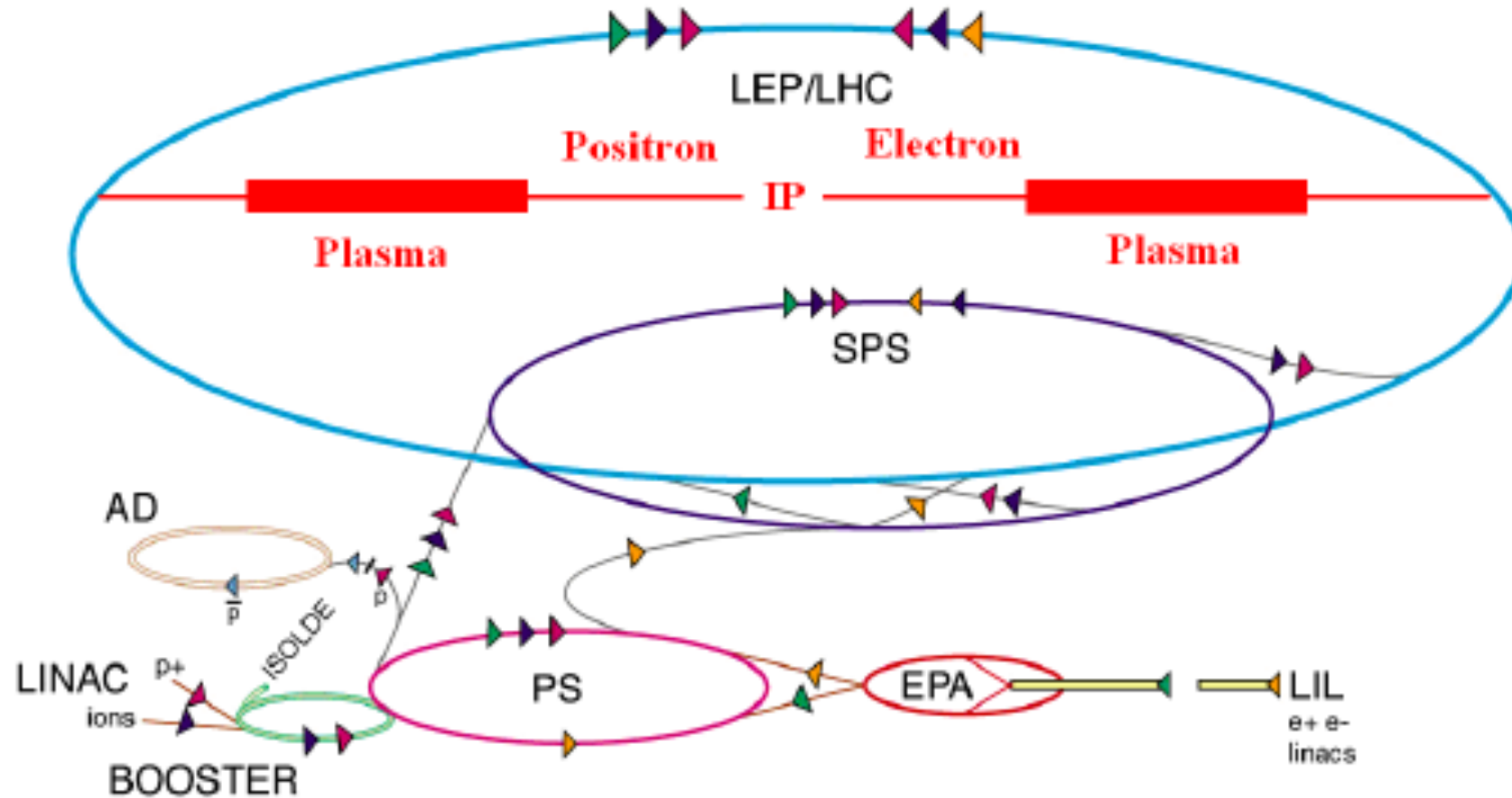
- Mean energy:  $800 \pm 40$  MeV,  
 $\Rightarrow E_{\text{acc}} \sim 150$  MV/m
- FWHM of  $137.3 \pm 13.7$  MeV  
 $\Rightarrow$  Spread  $> 10\%$
- Total charge:  $0.249 \pm 0.074$  pC  
 $\Rightarrow$  Low charge transmission



Nature **561**, pages363–367 (2018)



# Idea of a Linear Collider based on a Modulated $p^+$ driven PWFA



# Conclusions

- Plasma-based acceleration techniques have demonstrated accelerating gradients up to 3 orders of magnitudes beyond presently used RF technologies
- Plasma-based acceleration techniques have provided solid feasibility proofs of FEL lasing under different configurations
  - Successful efforts on improving beam quality
- The R&D now concentrates on **beam stability, staging and continuous operation**, as necessary steps towards the realization of compact plasma-based accelerator facilities
  - **A major milestone is an operational, 1 GeV compact accelerator**
  - **Challenges in high repetition rate**
- **Plasma-based, ultra-high gradient accelerators therefore open the realistic vision of very compact accelerators for scientific, commercial and medical applications**

# MC3 – Novel Particle Sources and Acceleration Techniques at IPAC23

- Towards COXINEL Seeded FEL Using Laser Plasma Accelerator at HZDR – **Marie Emmanuelle Couprie, SOLEIL**
- EuPRAXIA and its Italian Construction Project – **Massimo Ferrario, INFN**
- Laser-Plasma Acceleration beyond the Diffraction and Dephasing Limits – **Cedric Thaury, Laboratoire d'Optique Appliquée**
- Fabrication and testing of corrugated Waveguides for a Collinear Wakefield Accelerator – **Alexander Zholents, Argonne National Laboratory**

# References

- Tajima & Dawson, Phys. Rev. Lett. **43**, 267 (1979)
- Esarey, Schroeder, Leemans, Rev. Mod. Phys. **81**, 1229 (2009)
- ... and papers in the slides



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Thank You for the attention!

